

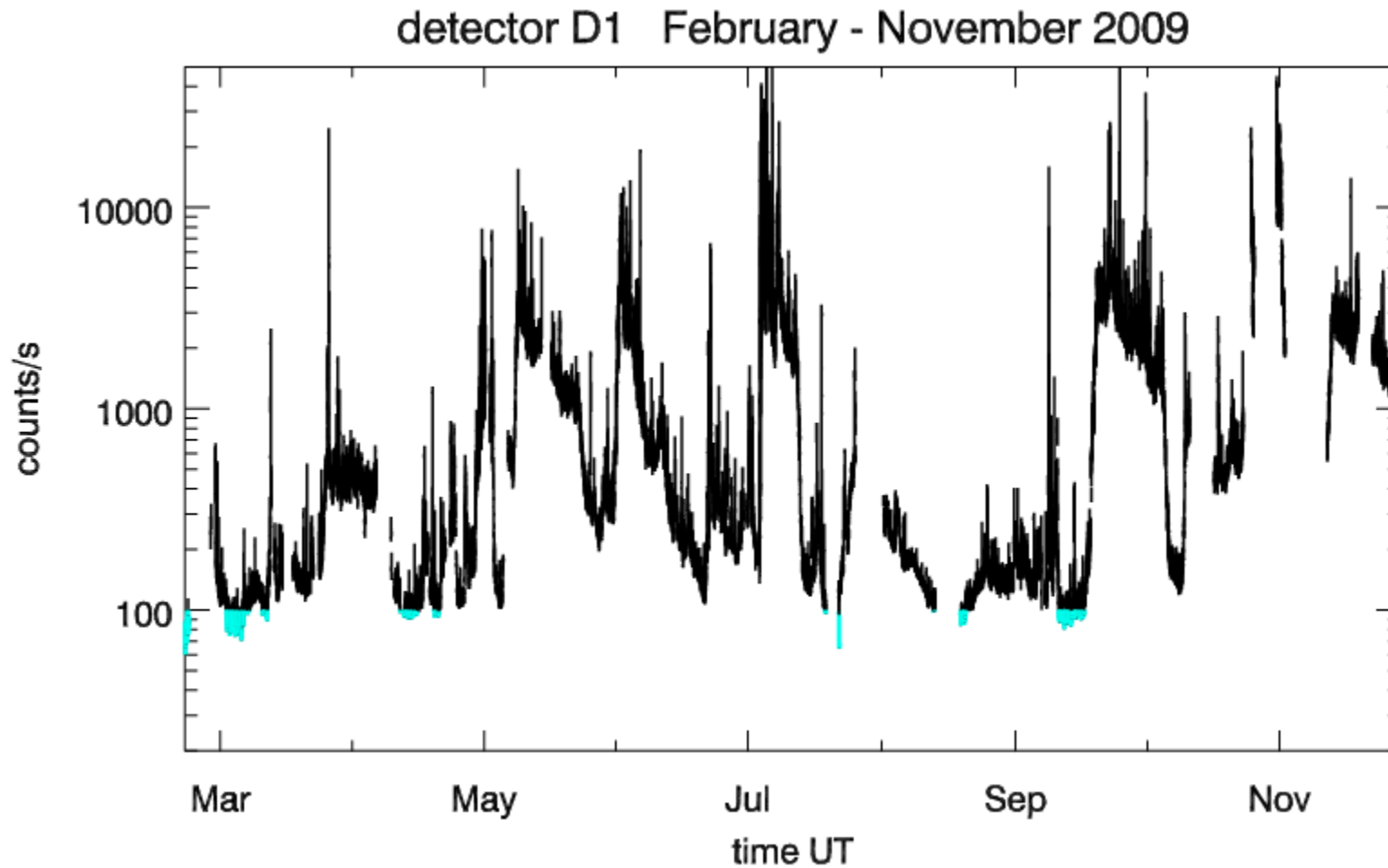


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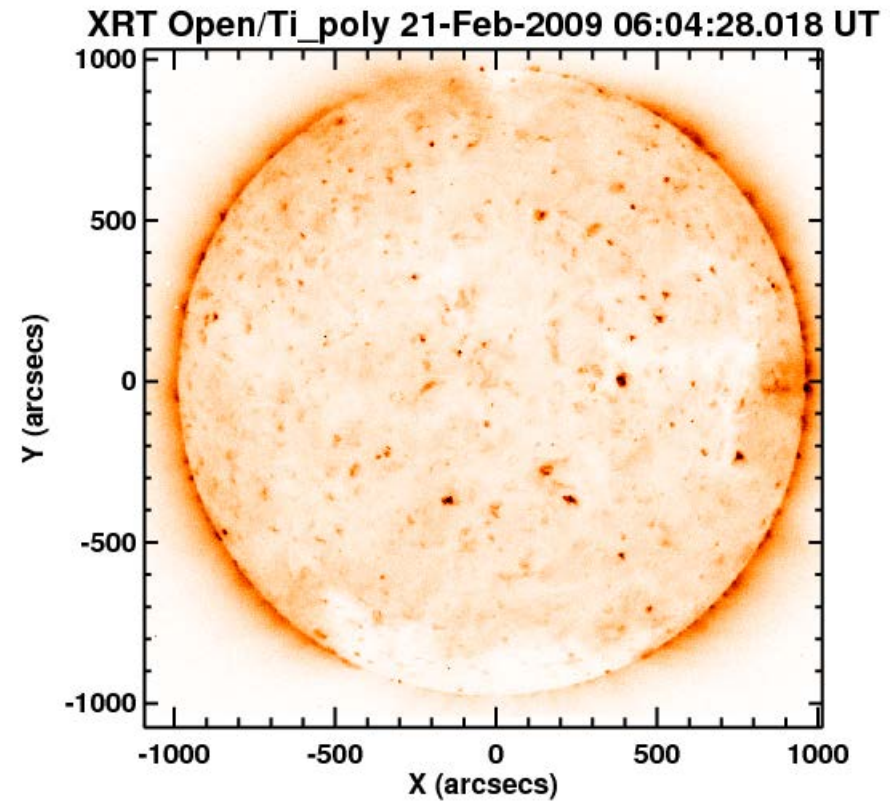
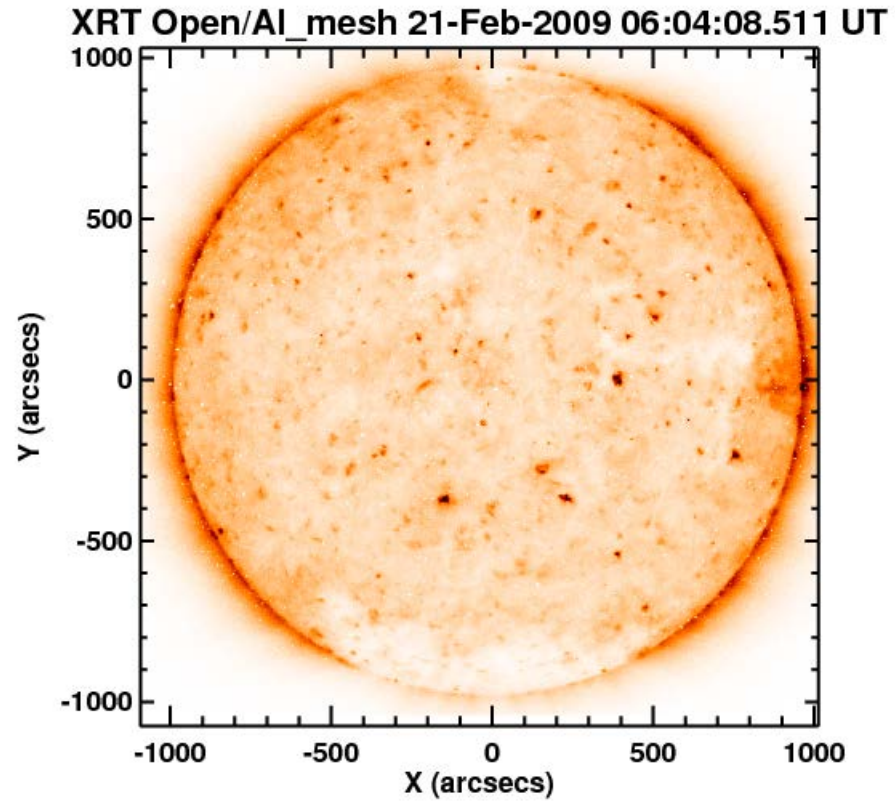
# **Rozkłady temperatury i gęstości w koronie w okresie minimum aktywności II**

**Marek Siarkowski**

# SphinX D1 daily averages



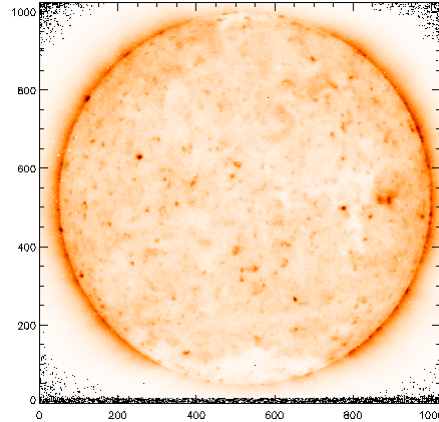
# QS from Hinode/XRT



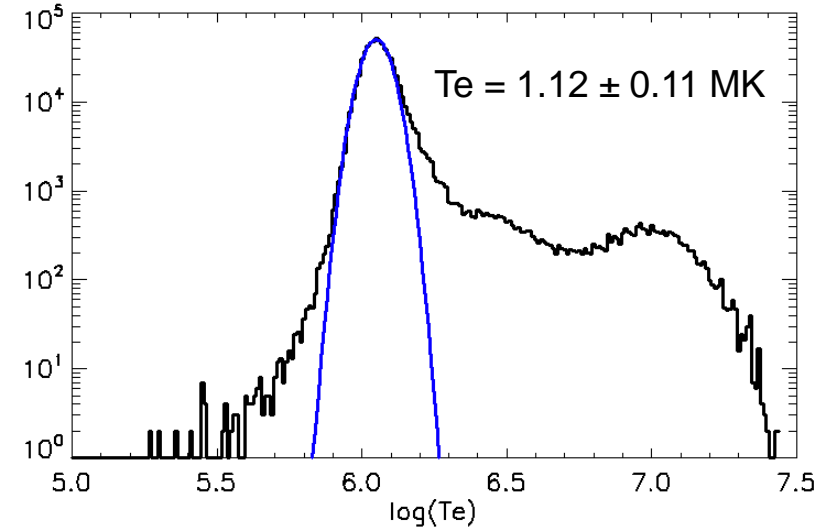
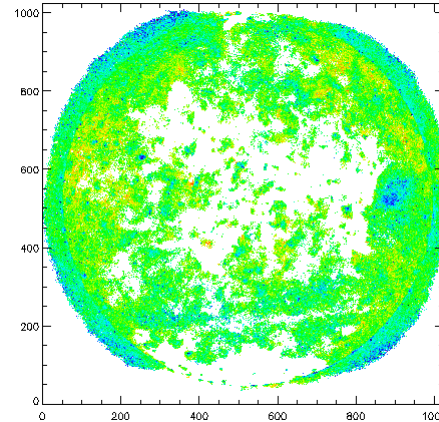
# QS from Hinode/XRT

20-Feb-09 06:01

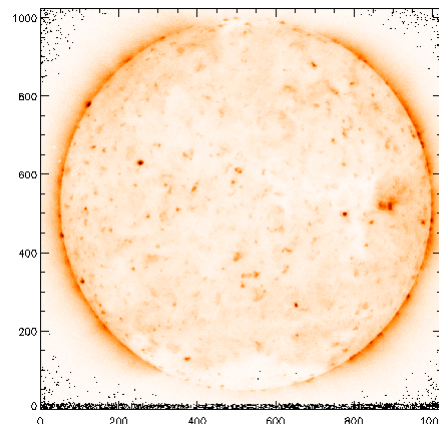
Open/Al\_mesh



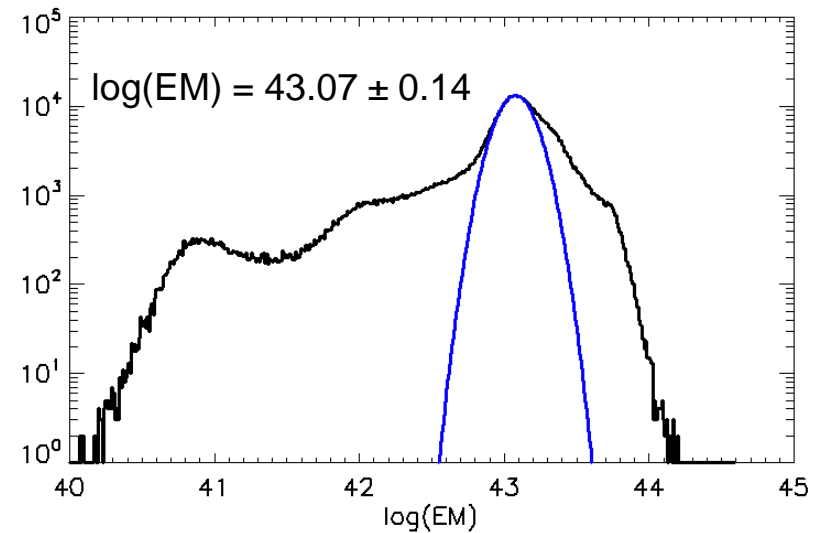
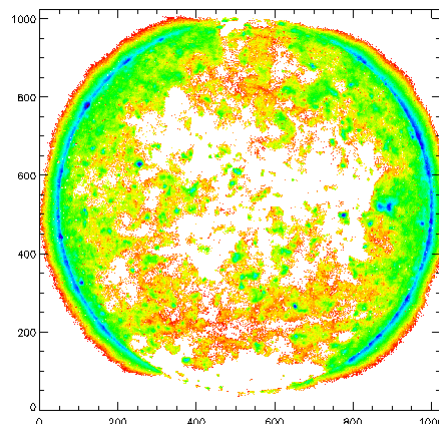
Te



Open/Ti\_poly

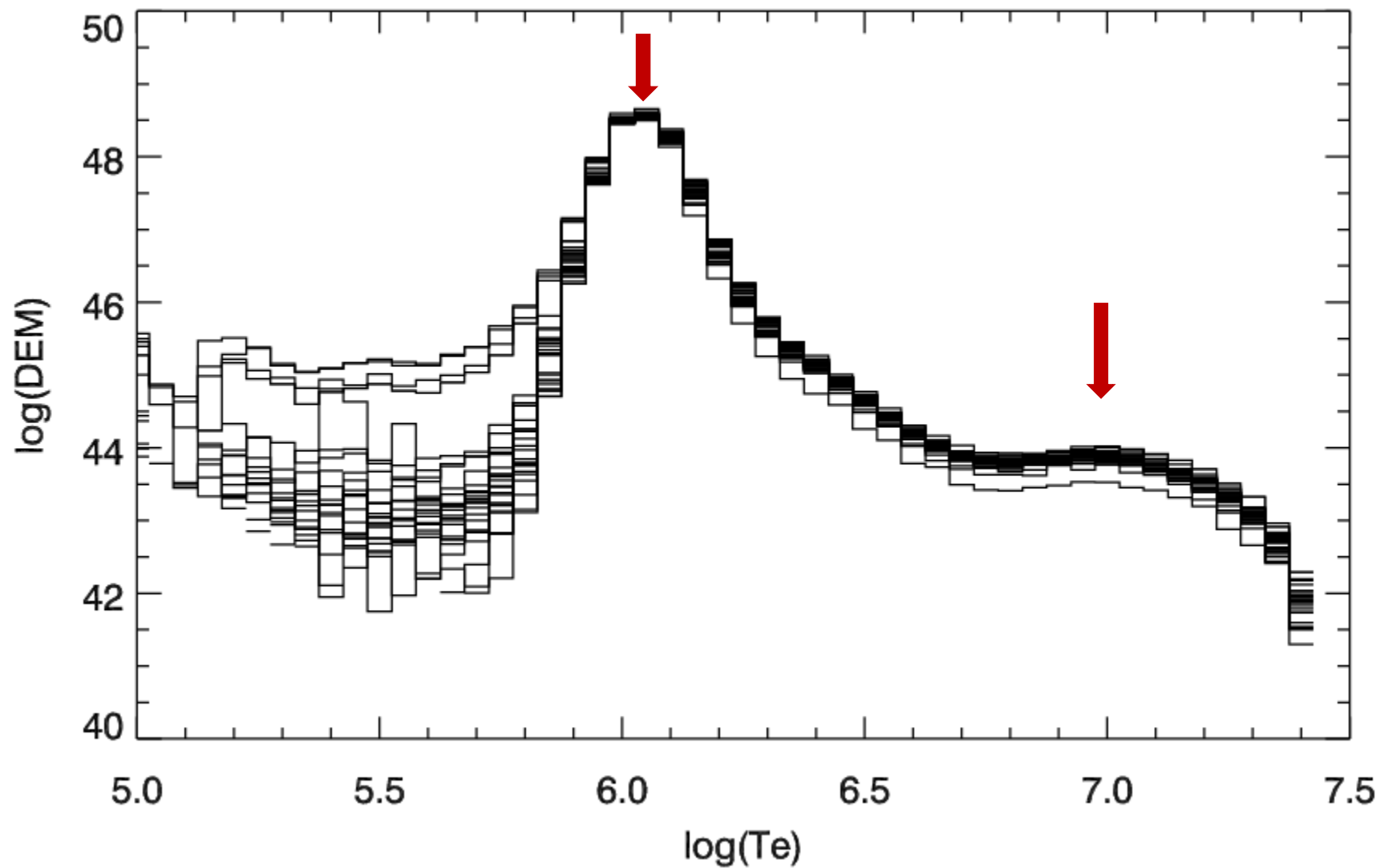


EM



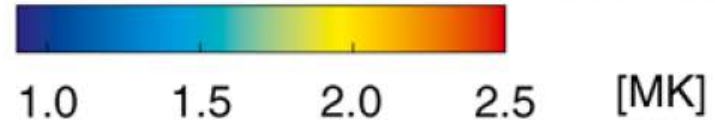
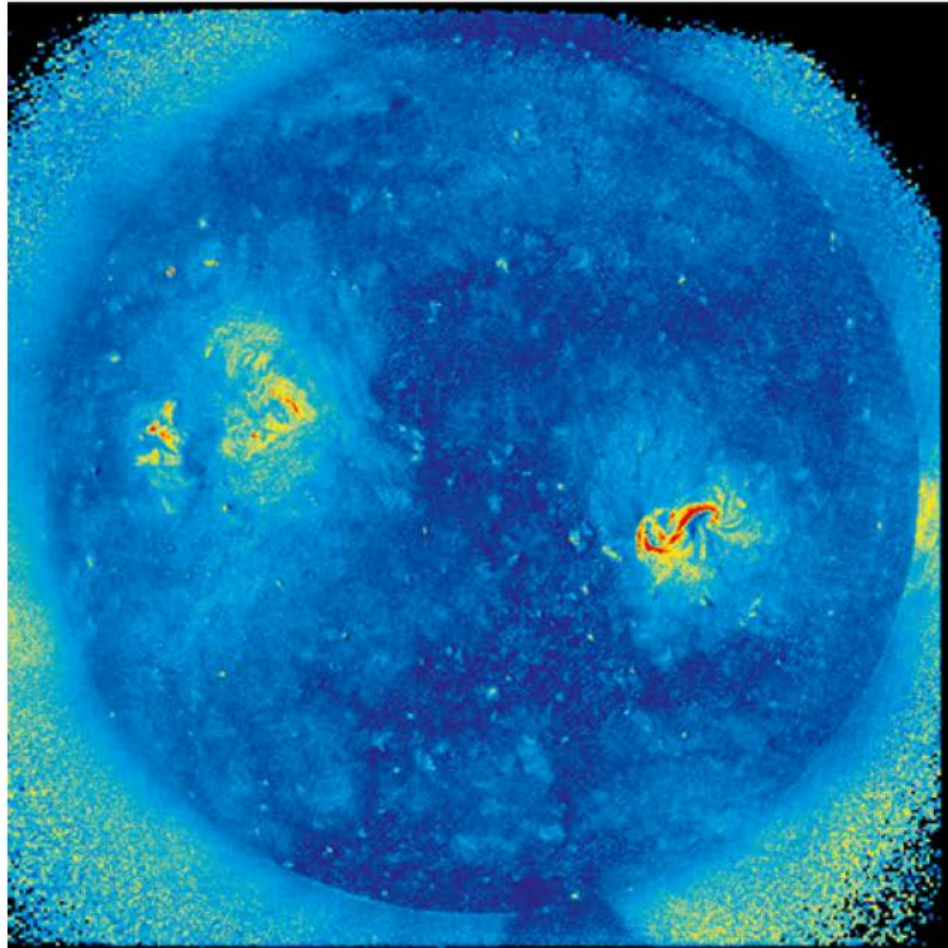
# quasi DEM from XRT

27 periods of very low activity from February to September 2009

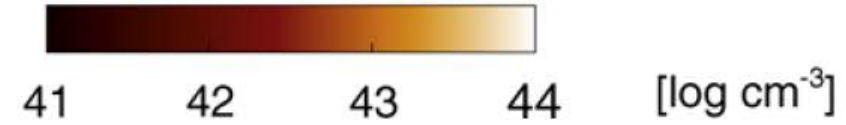
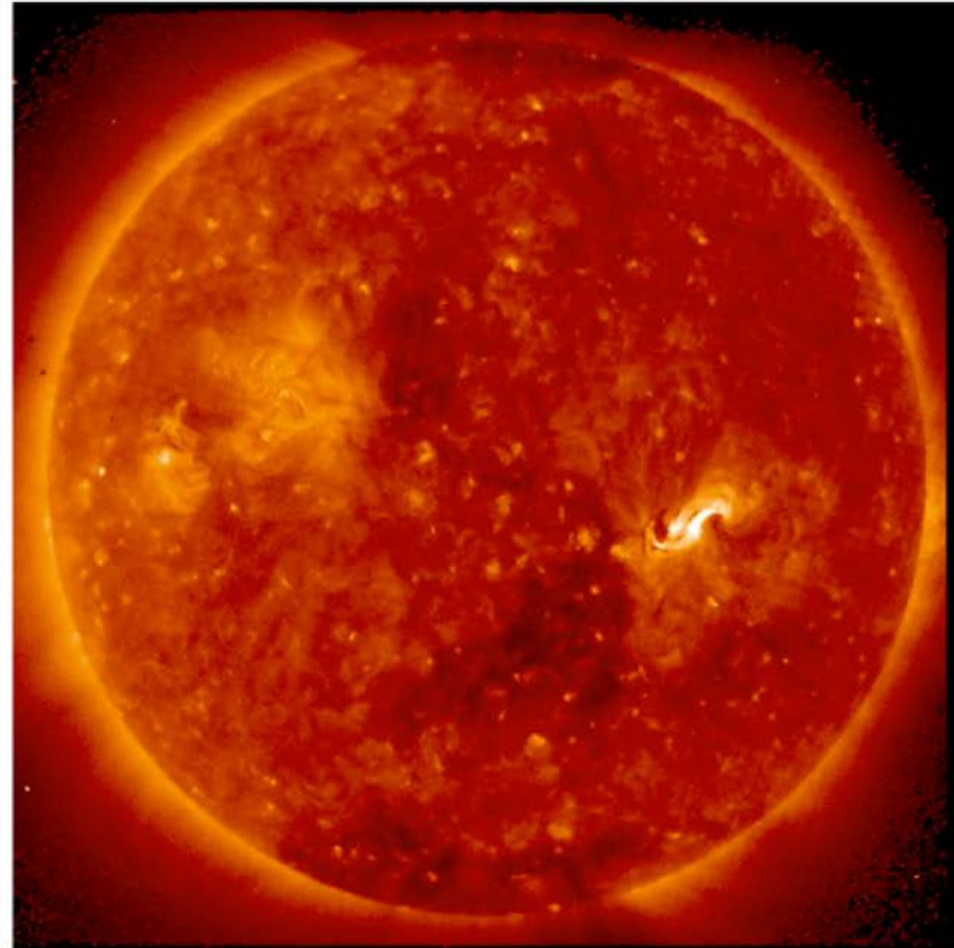




temperature

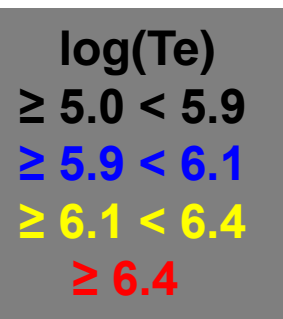
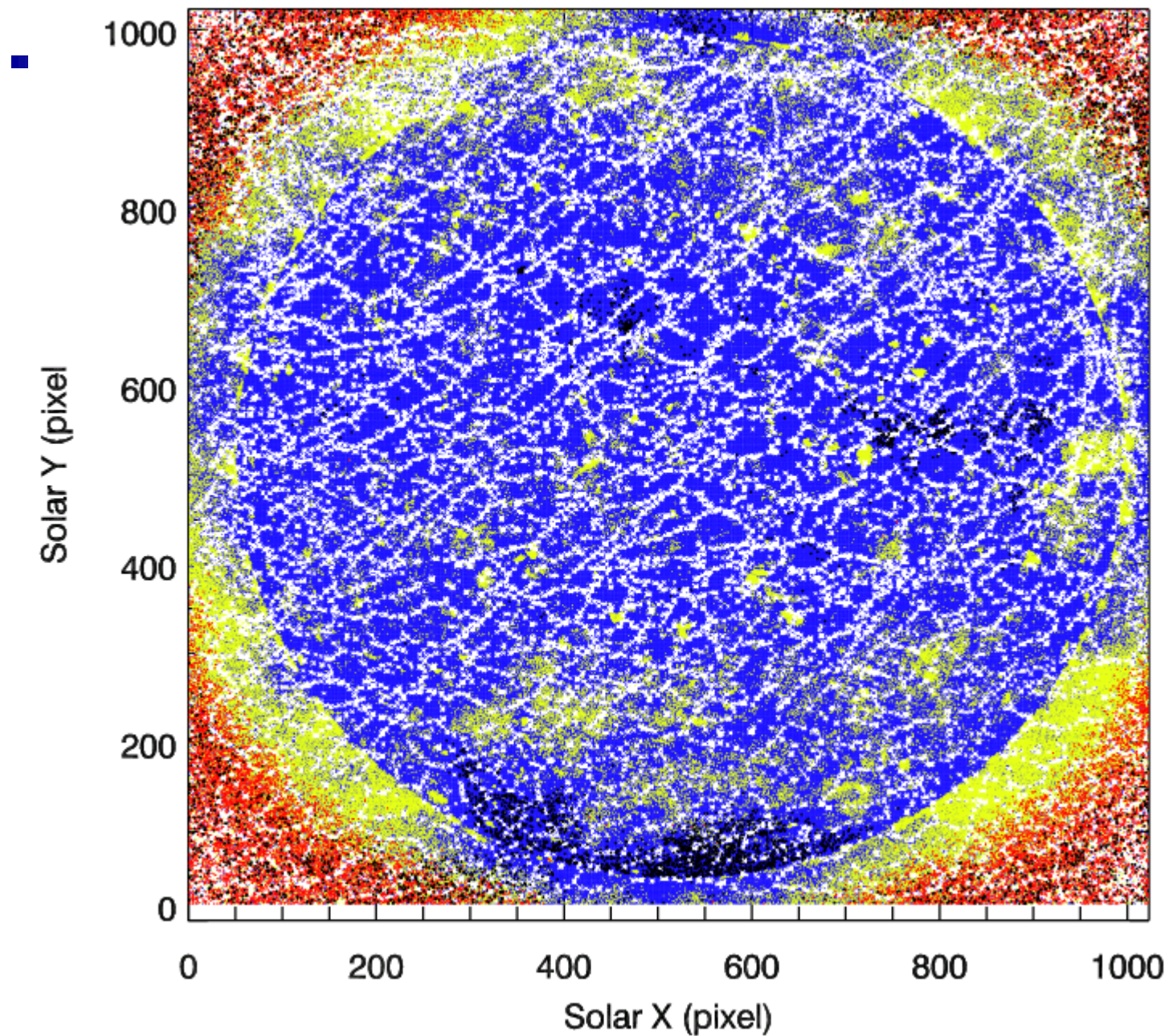


volume emission measure

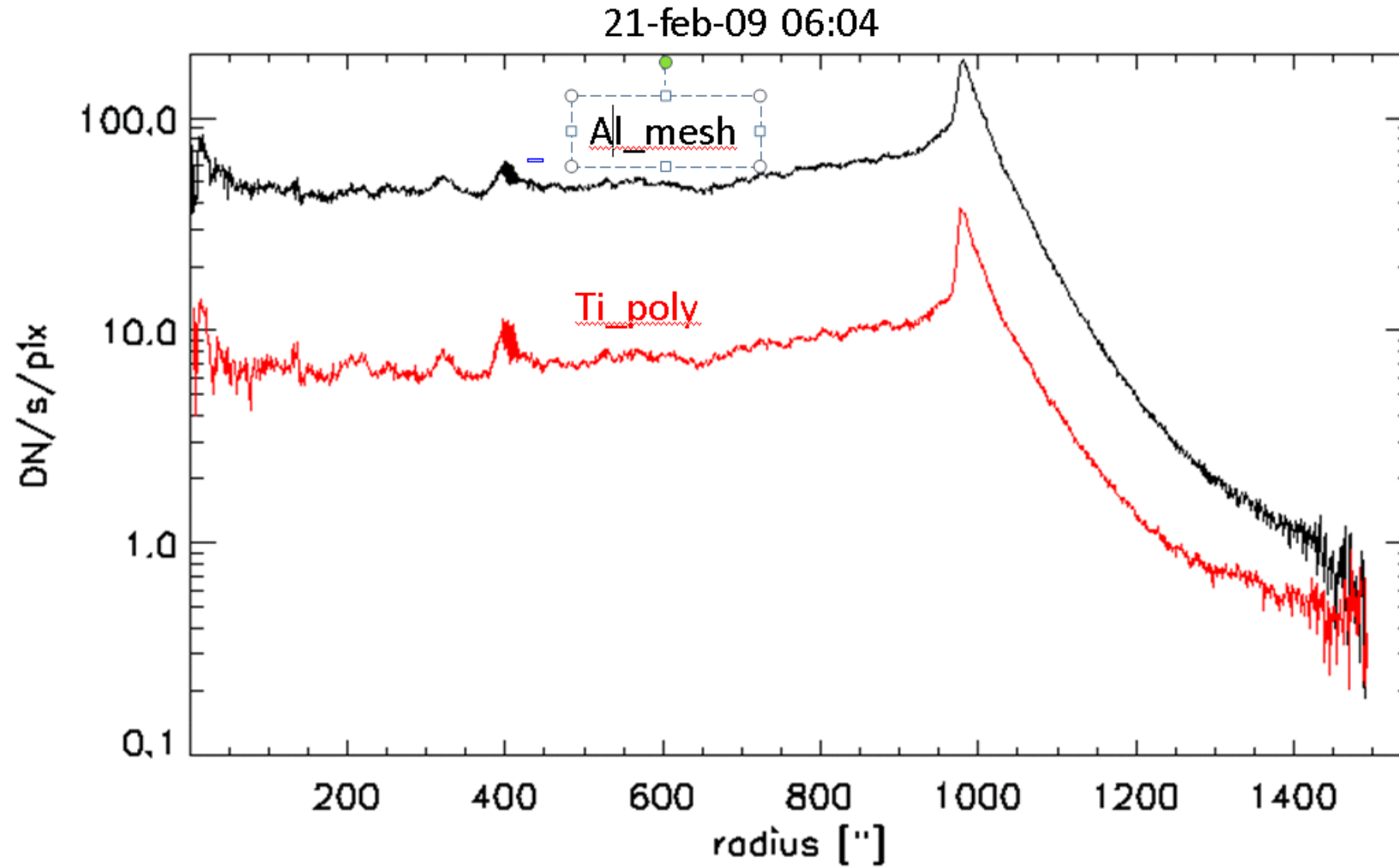




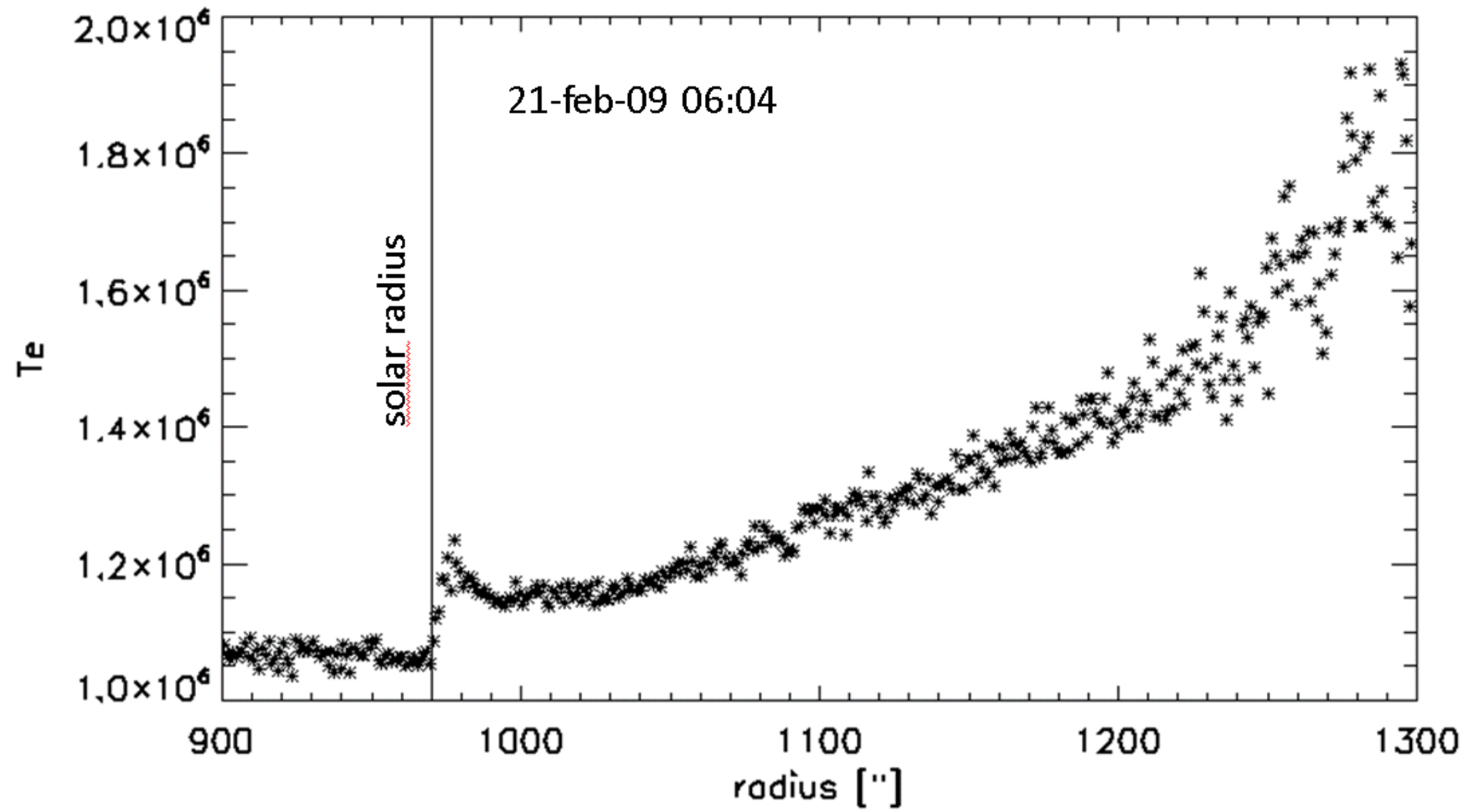
Te XRT\_20090221\_060422.2

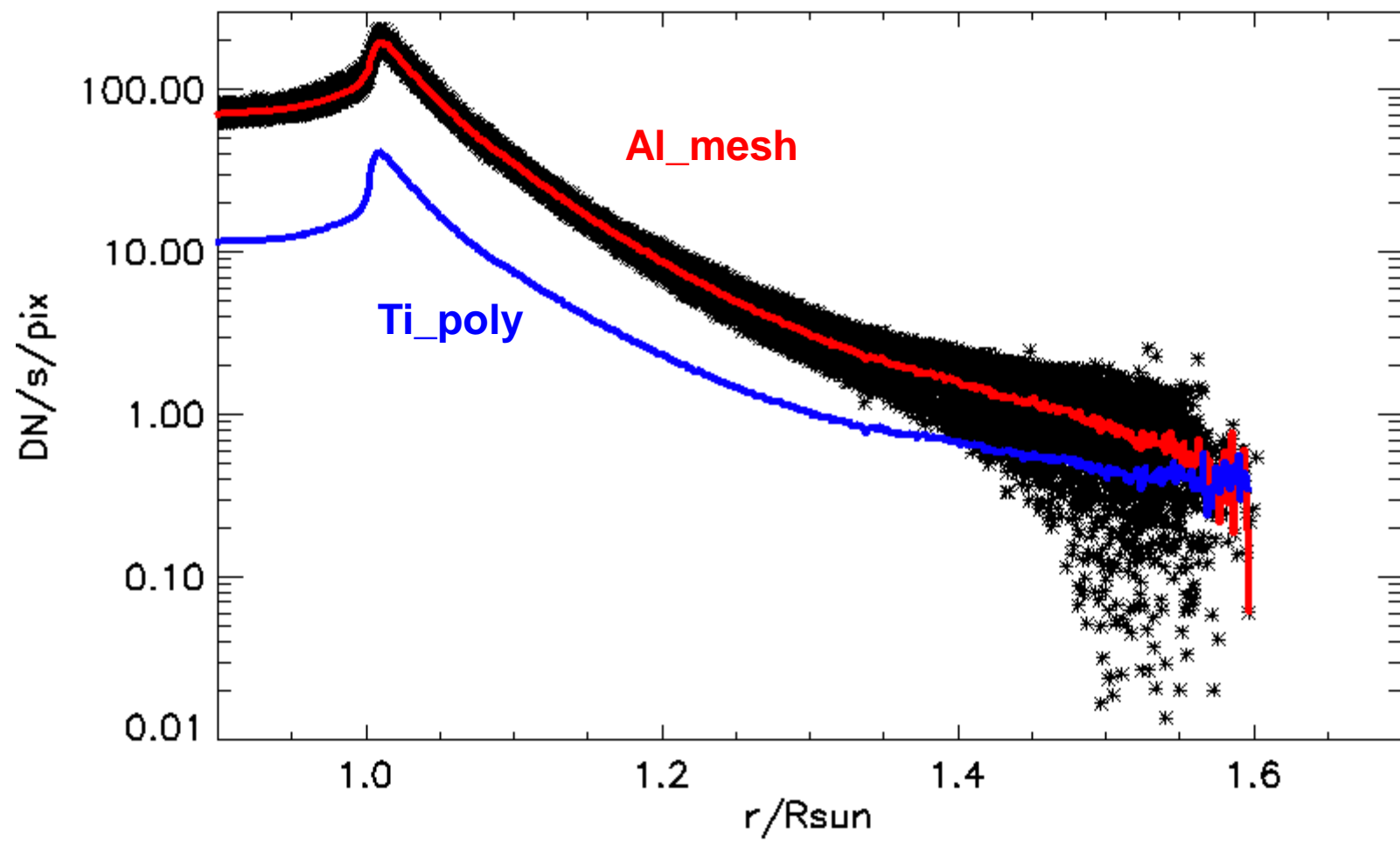


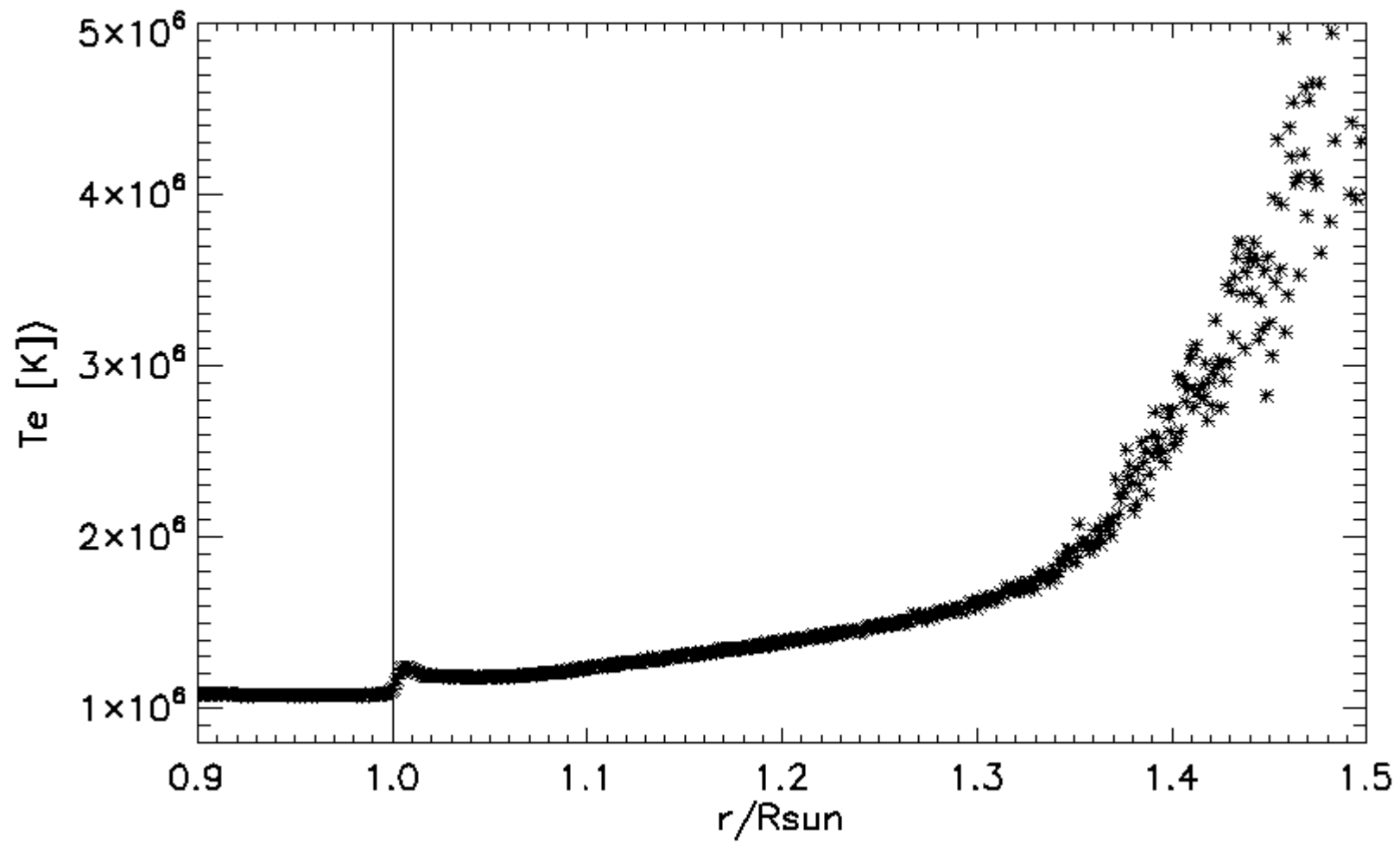
# observed distribution of emission











Wheatland, Sturrock and Acton, ApJ 482,510, 1997

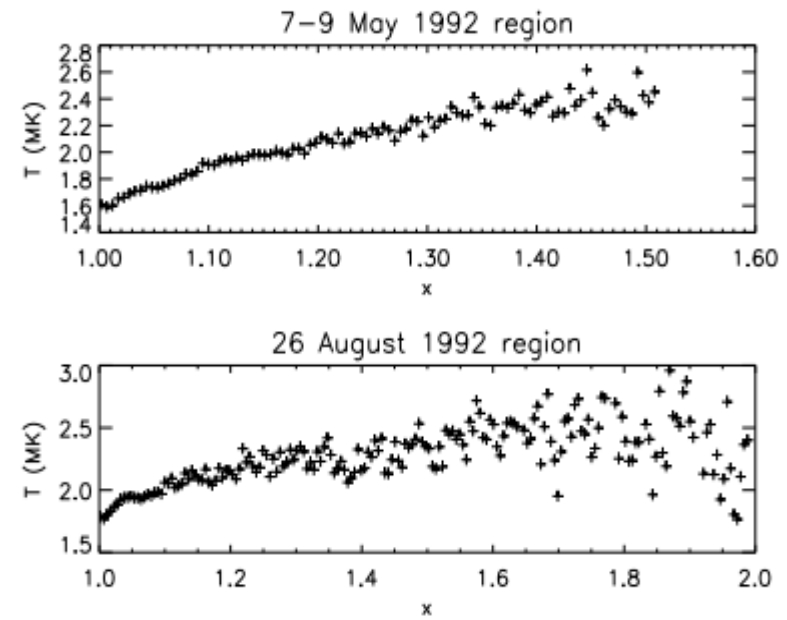
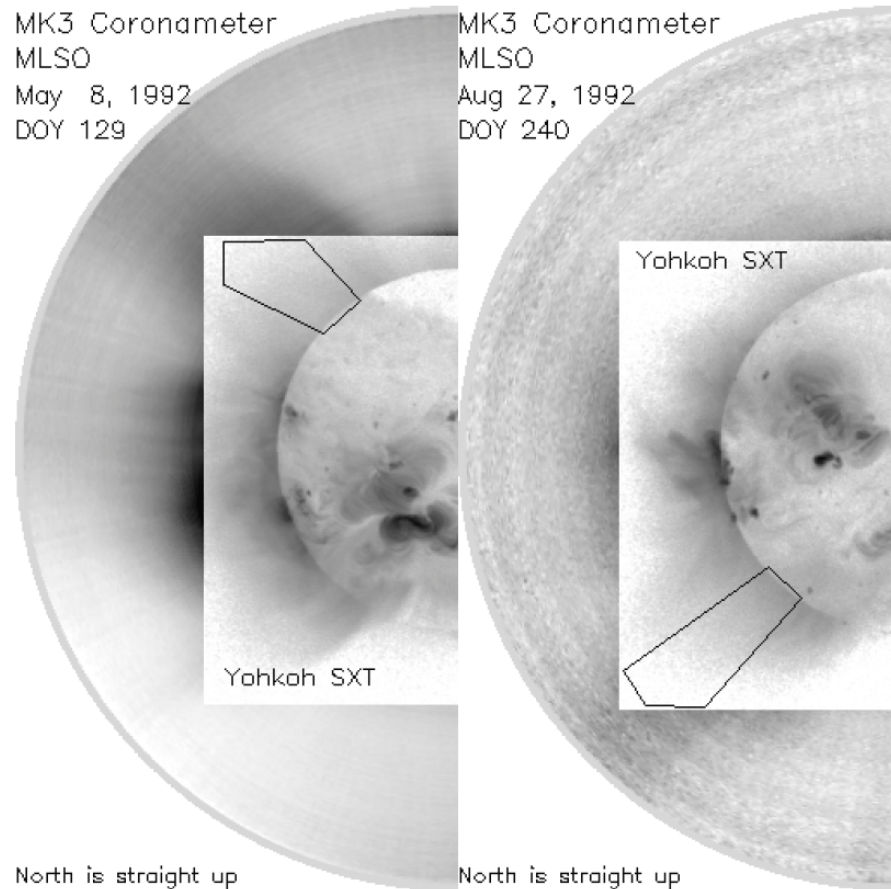
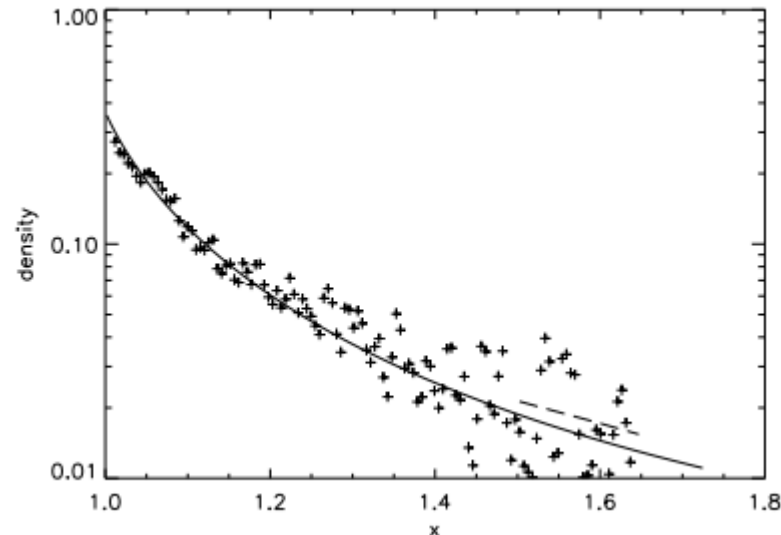
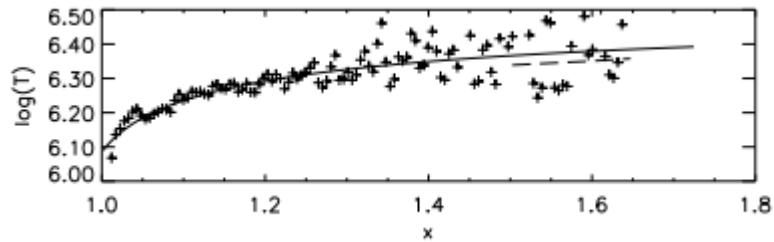


FIG. 3.—Mean temperatures derived for each region by the filter-ratio technique.



Wheatland, Sturrock and Acton, ApJ 482,510, 1997



conserved inward heat flux model

$$F = F_0 x^{-2} = a T^{5/2} \frac{dT}{dr} \quad x = r/R_\odot$$

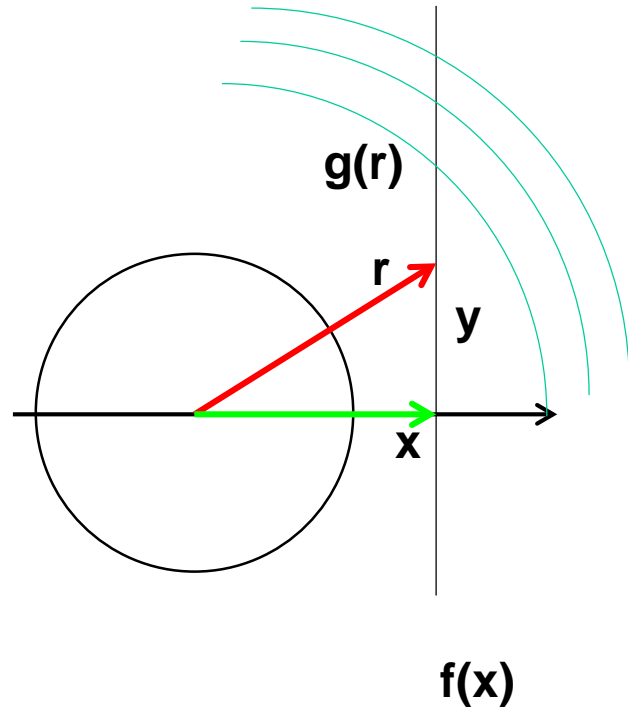
$$T(x) = \left[ T_0^{7/2} + \frac{7 R_\odot F_0}{2a} \left( 1 - \frac{1}{x} \right) \right]^{2/7}$$

$$\frac{dp}{dr} = - \frac{GM}{r^2} \rho \quad p = \psi n k_B T \quad \rho = \mu n m_p$$

$$n(x) = \frac{n_0 T_0}{T} \exp \left[ - \frac{\alpha}{F_0} \left( T^{5/2} - T_0^{5/2} \right) \right]$$

$$\alpha = \frac{2 \mu G M m_p a}{5 \psi k_B R_\odot^2}$$

# Inversion of Abel's Integral Equation



$$f(x) = \int_{-\infty}^{\infty} g(y) dy = 2 \int_0^{\infty} g(y) dy$$

$$r^2 = x^2 + y^2 \quad r dr = y dy$$

$$f(x) = 2 \int_{r=x}^{\infty} \frac{g(r) r dr}{\sqrt{r^2 - x^2}}$$

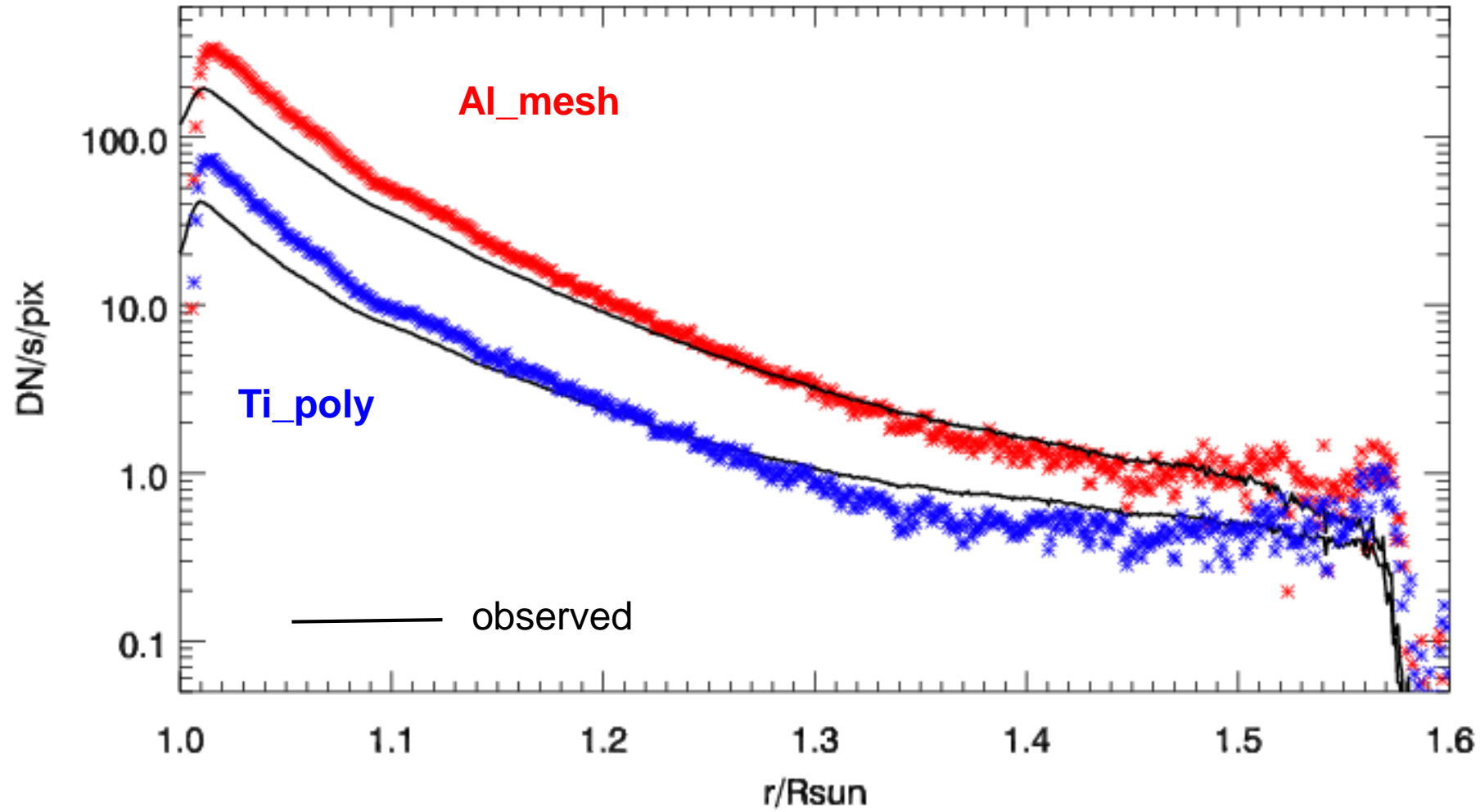
$$g(r) = -\frac{1}{\pi} \int_{x=r}^{\infty} \frac{f'(x) dx}{\sqrt{x^2 - r^2}}$$

$$y^2 = x^2 - r^2 \quad x dx = y dy$$

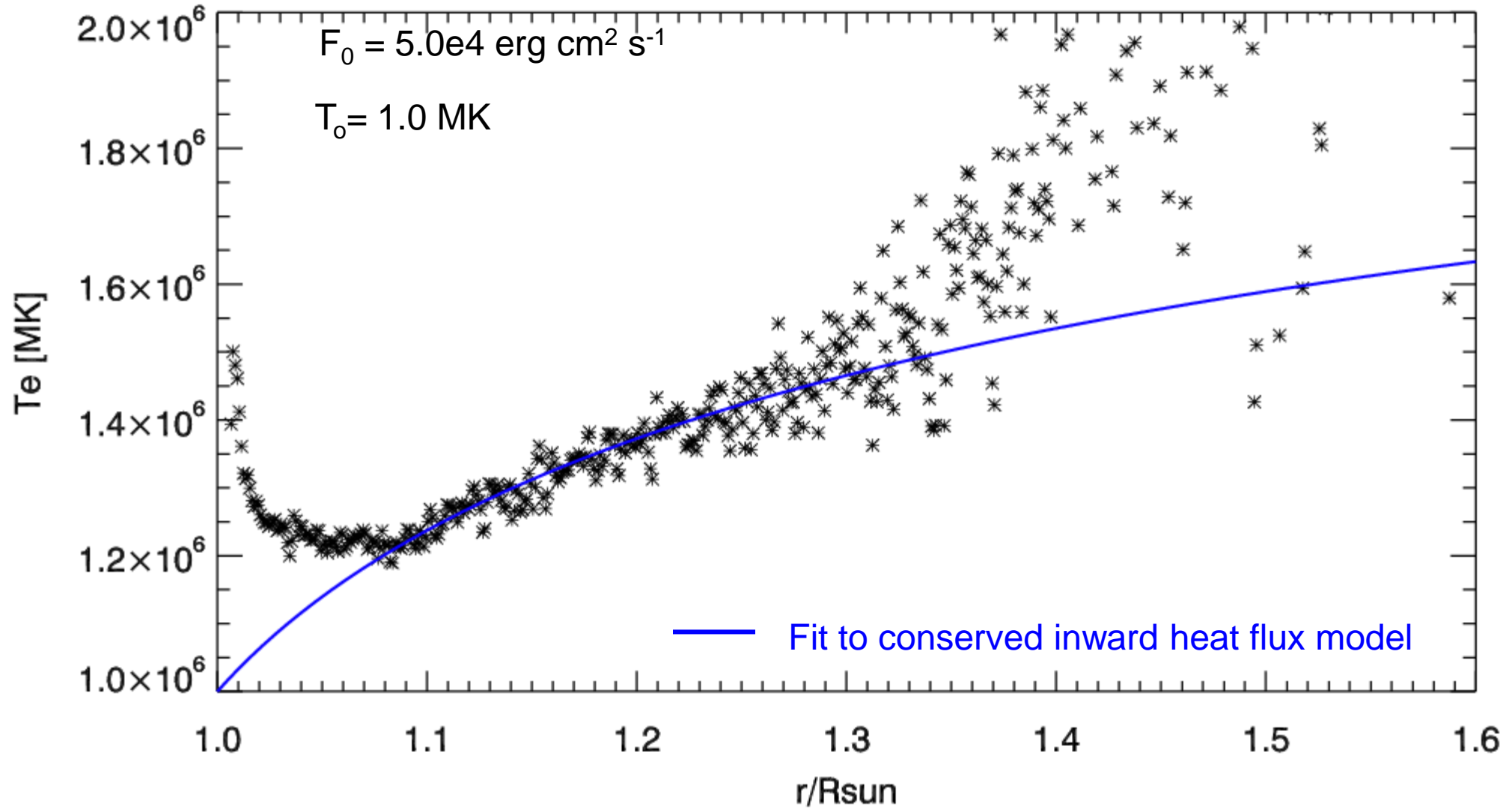
$$\infty \rightarrow r_c, y_c, x_c$$

$$g(r) = -\frac{1}{\pi} \int_0^{\infty} \frac{f'(y) dy}{\sqrt{y^2 + r^2}}$$

## „True” radial emission distribution after Abel Inversion

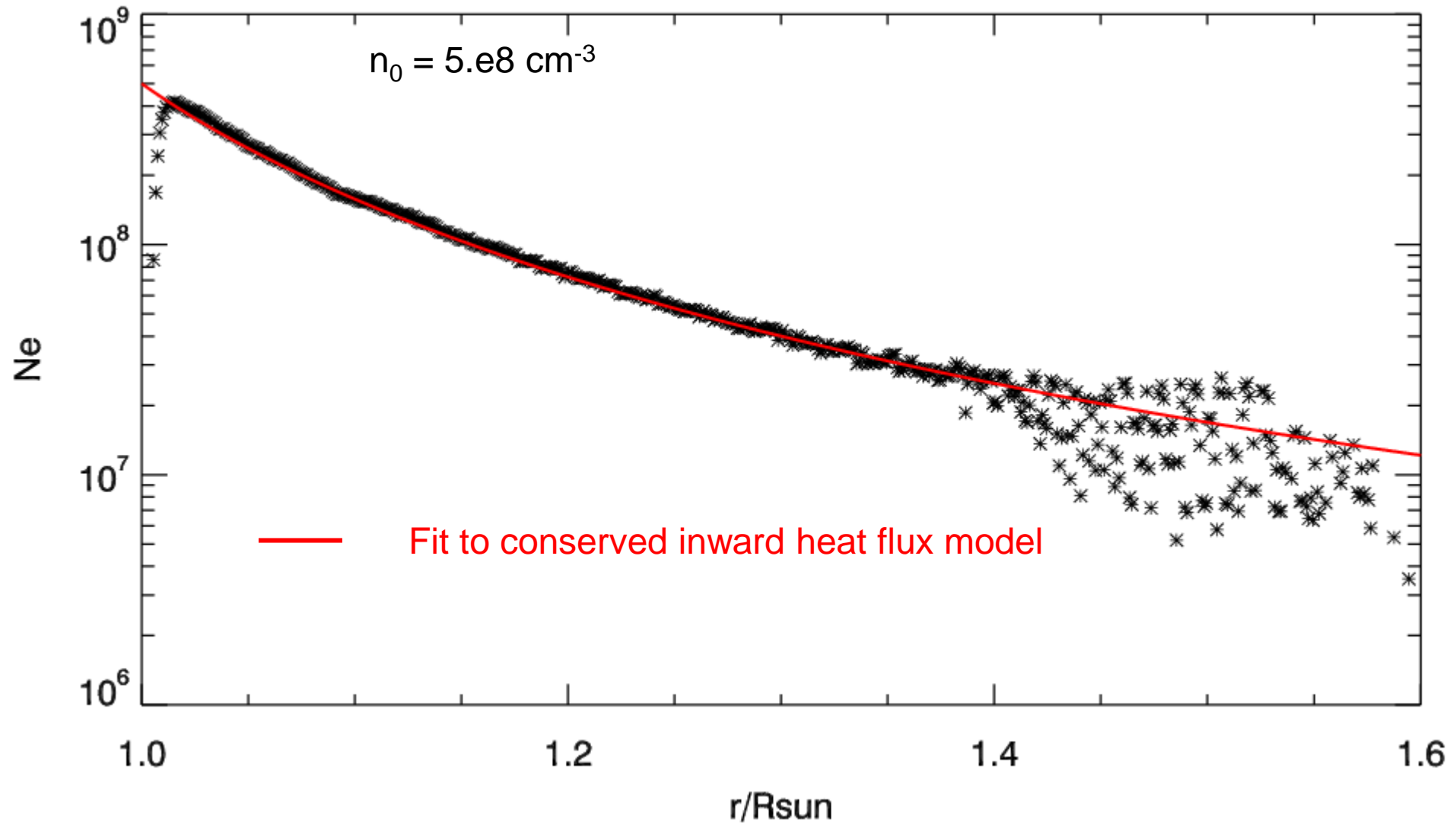


„True” radial temperature distribution after Inversion of observed emission distributions

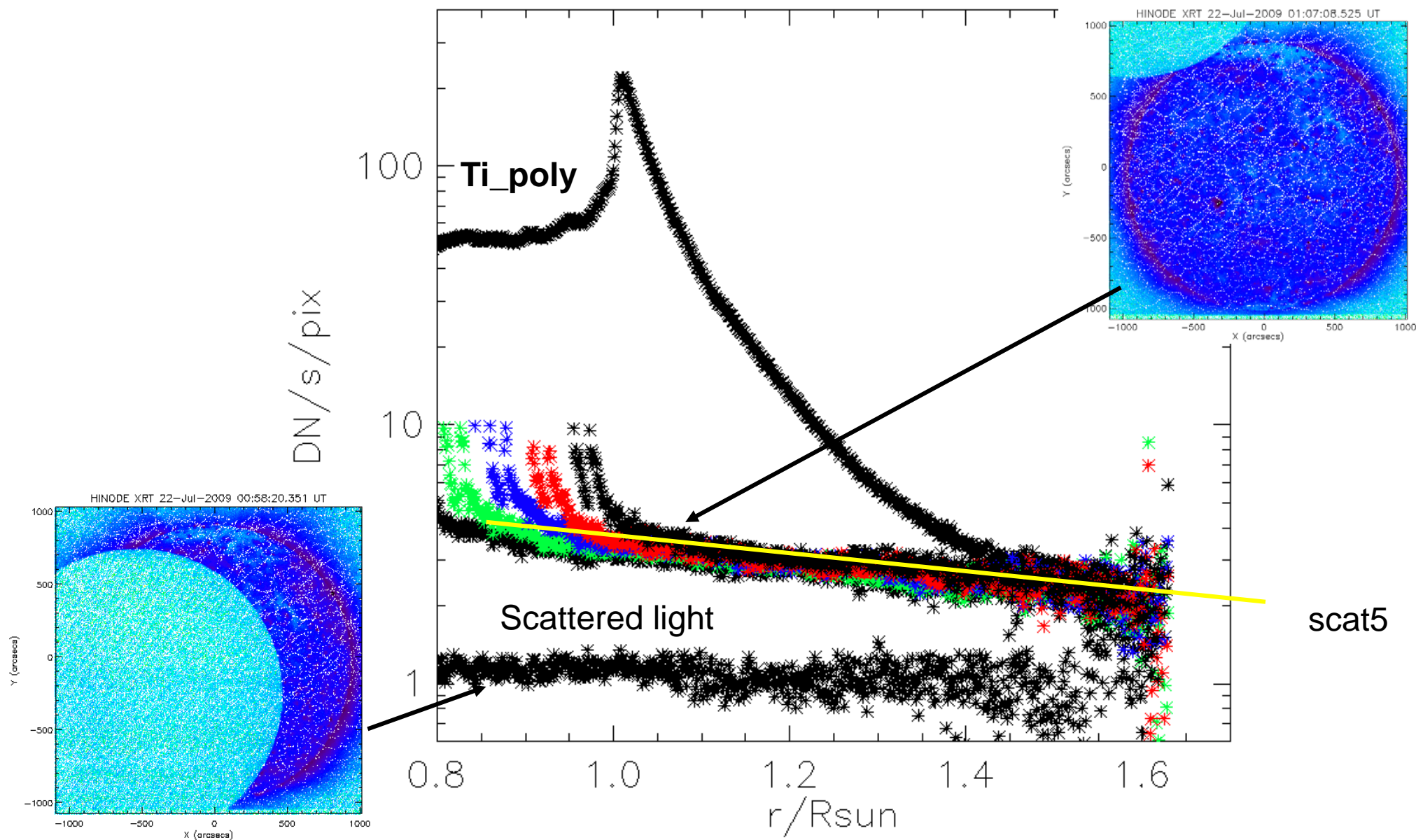


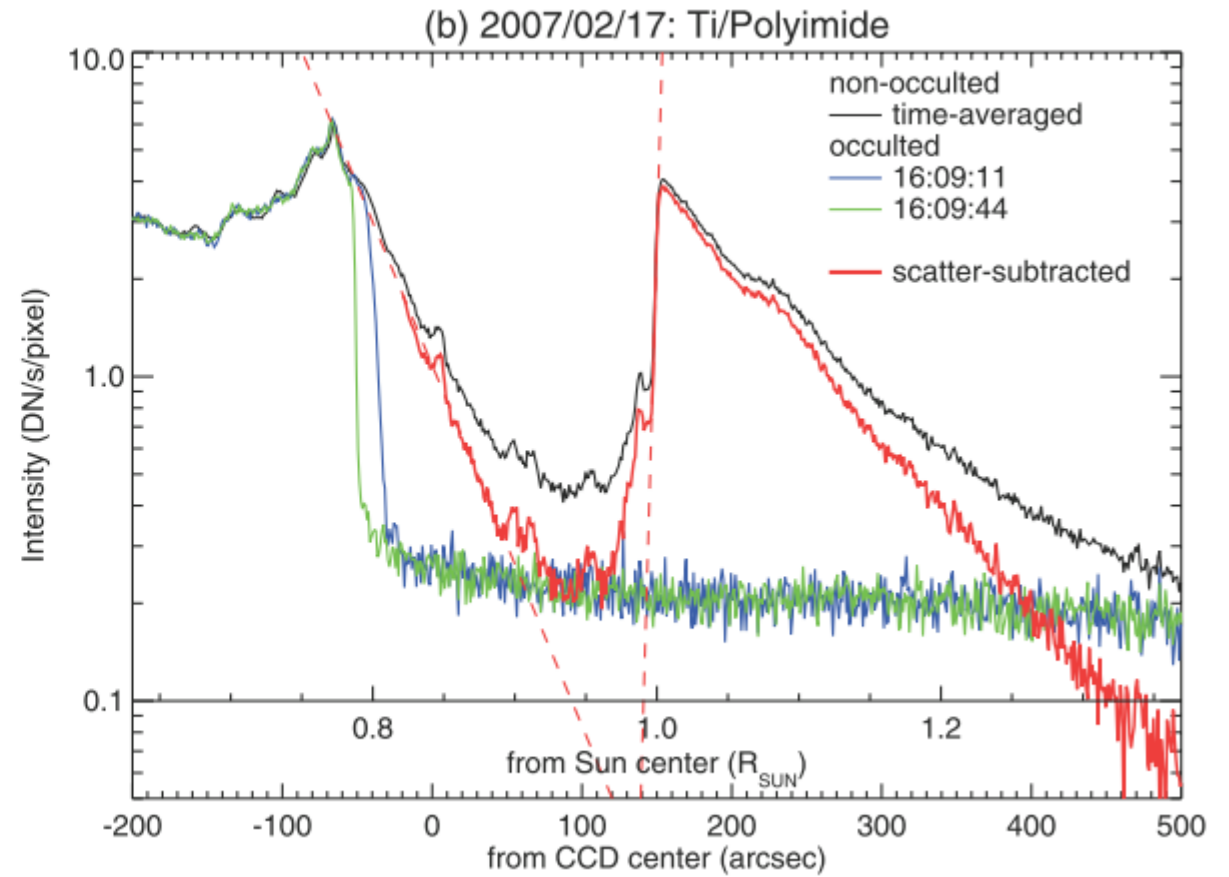
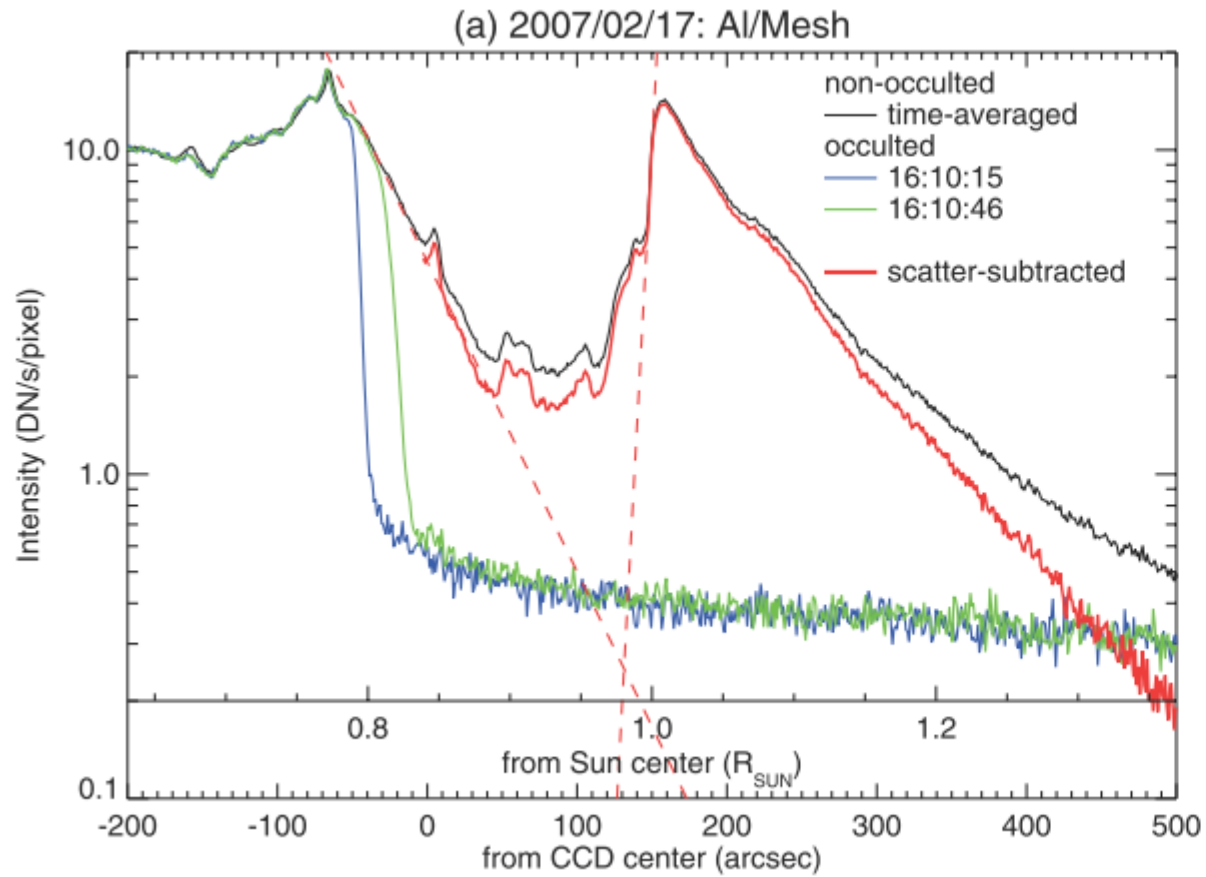


density



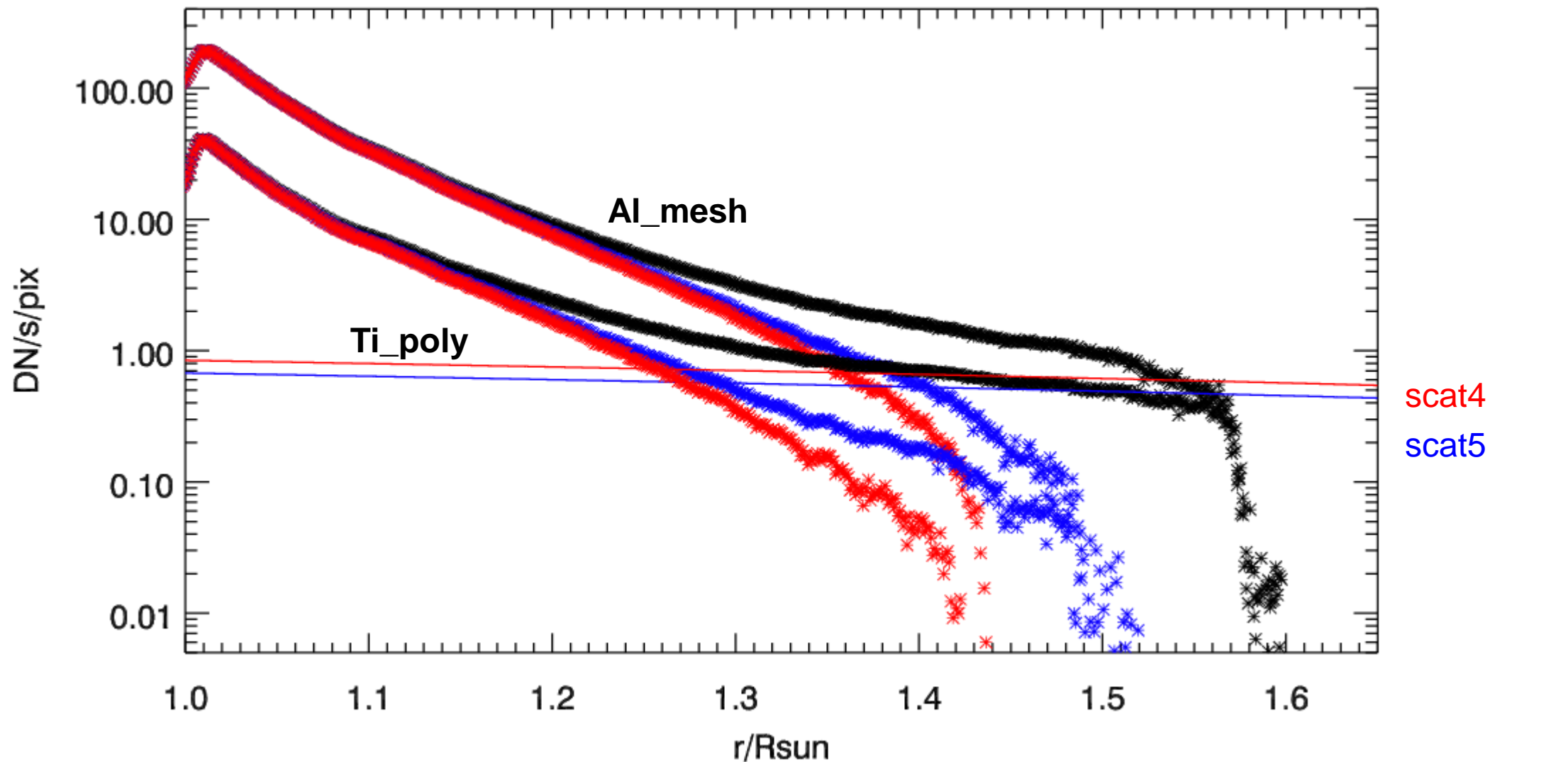
# solar eclipse 22-Jul-2009





$$\text{scat (Al\_mesh)} \sim 2 * \text{scat (Ti\_poly)}$$

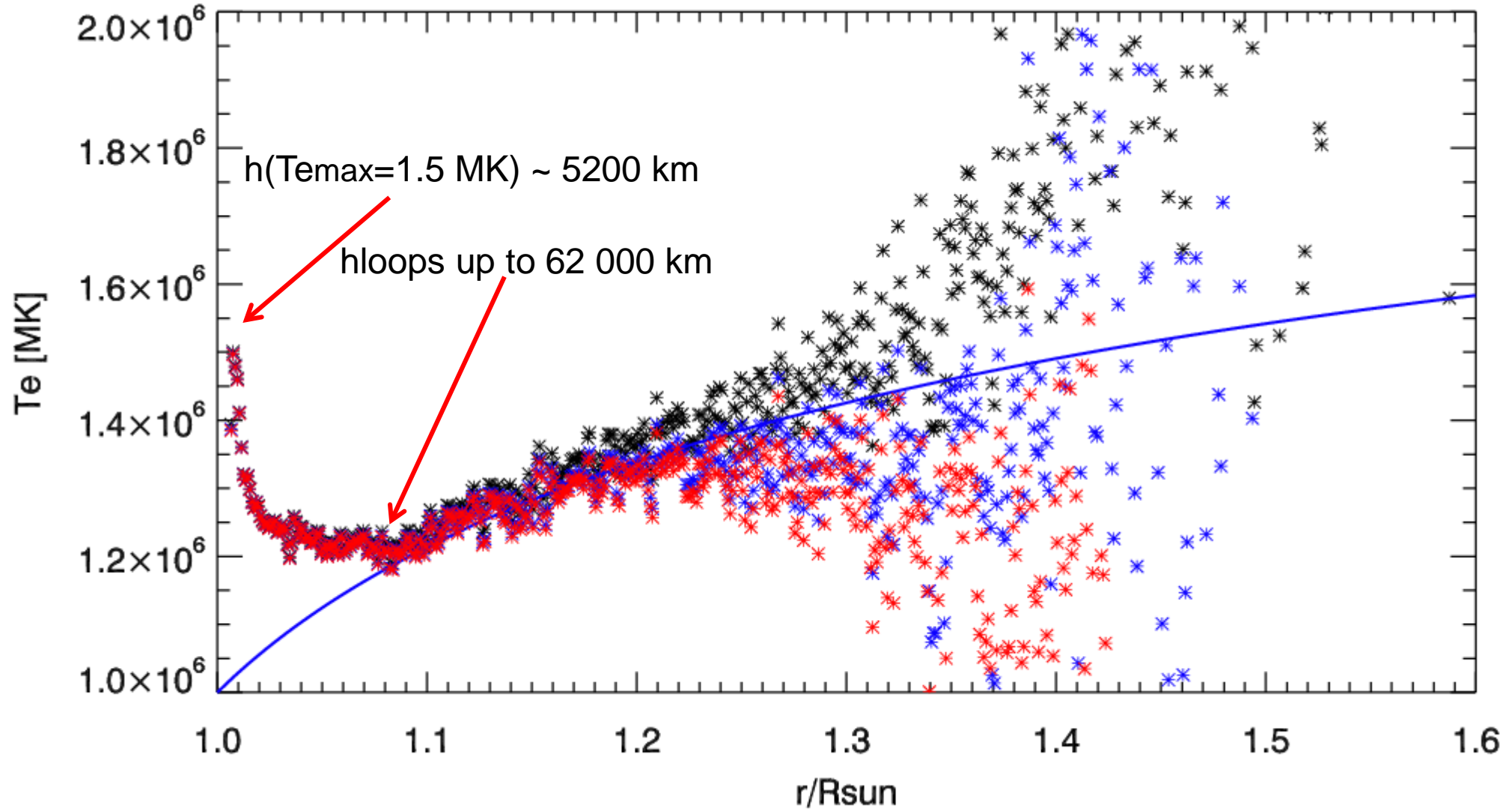
# scattered light



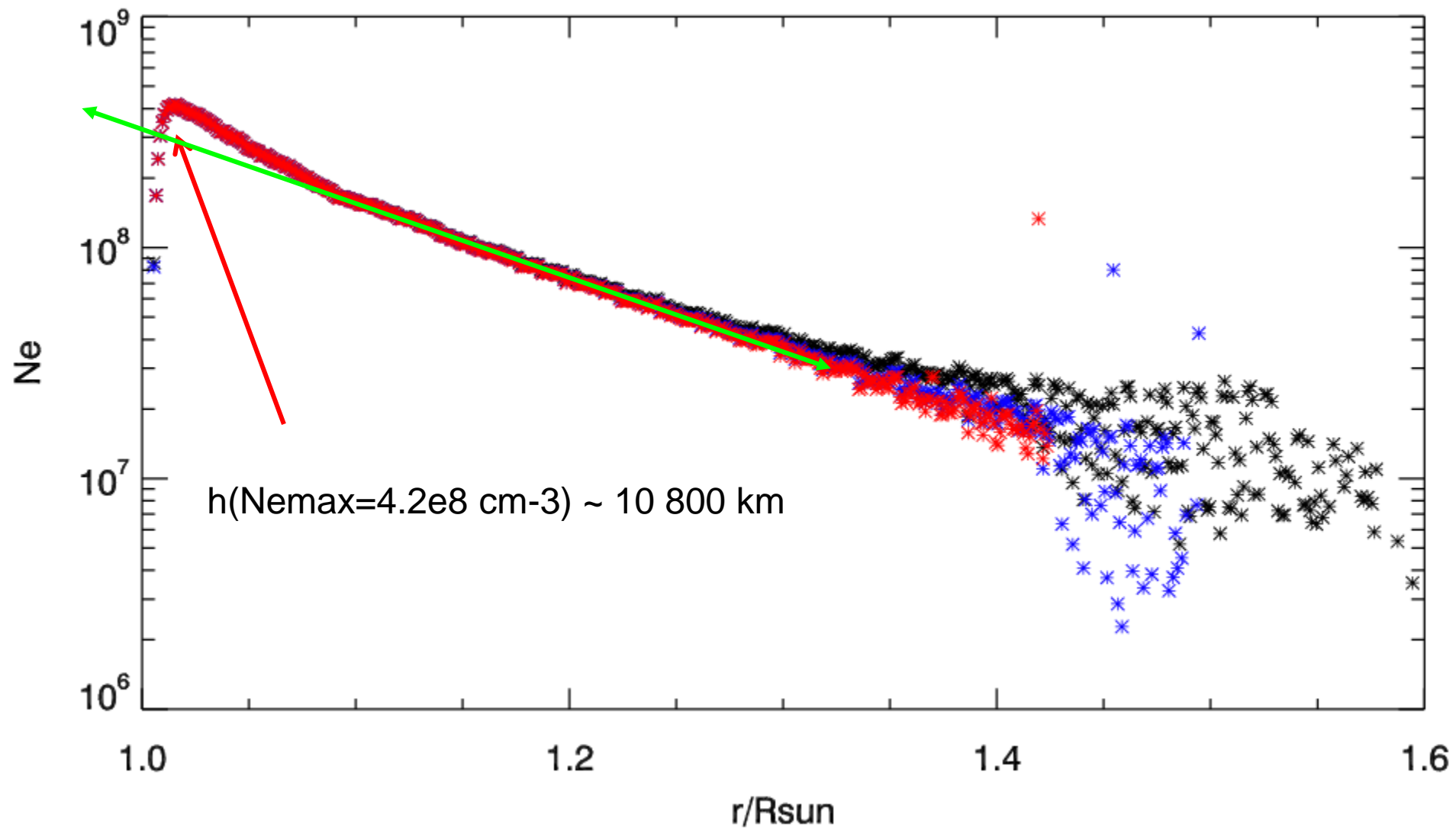
scat (Al\_mesh)  $\sim$  2 \* scat (Ti\_poly)



$F_0 = 4.3e4 \text{ erg cm}^2 \text{ s}^{-1}$       $T_0 = 1.0 \text{ MK}$

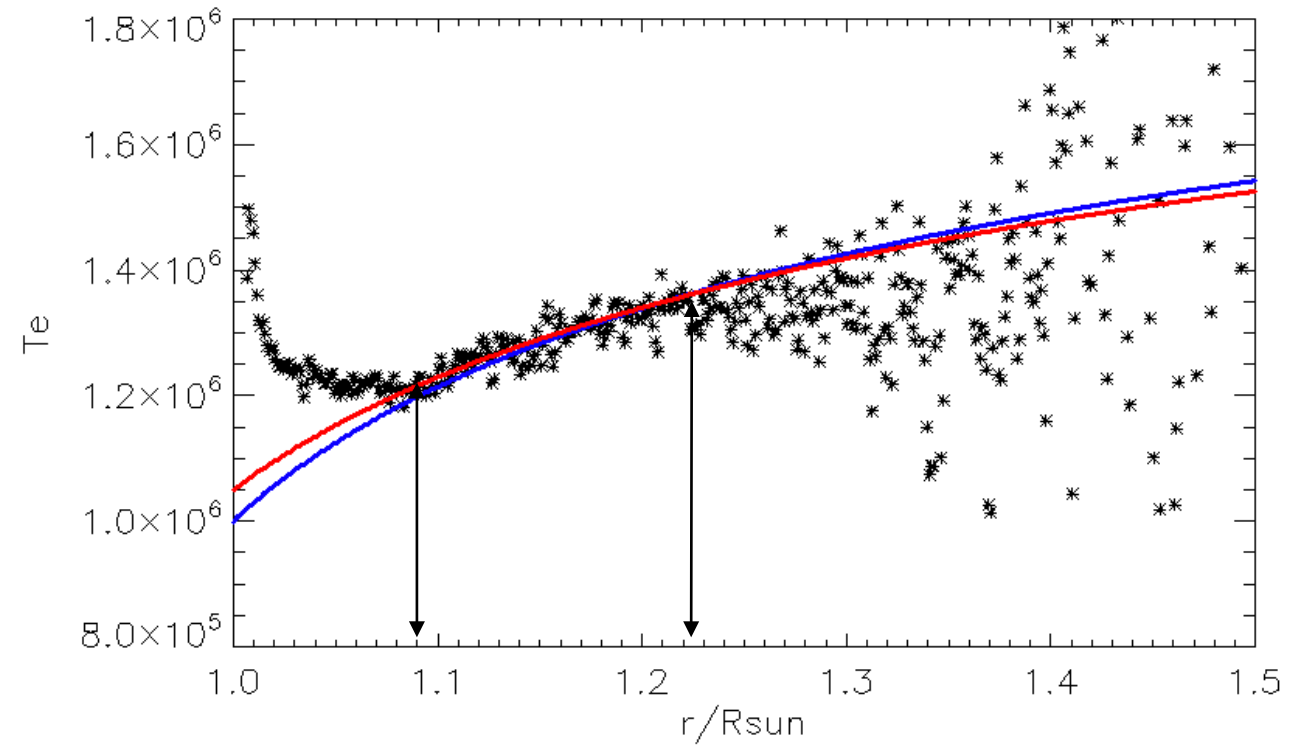
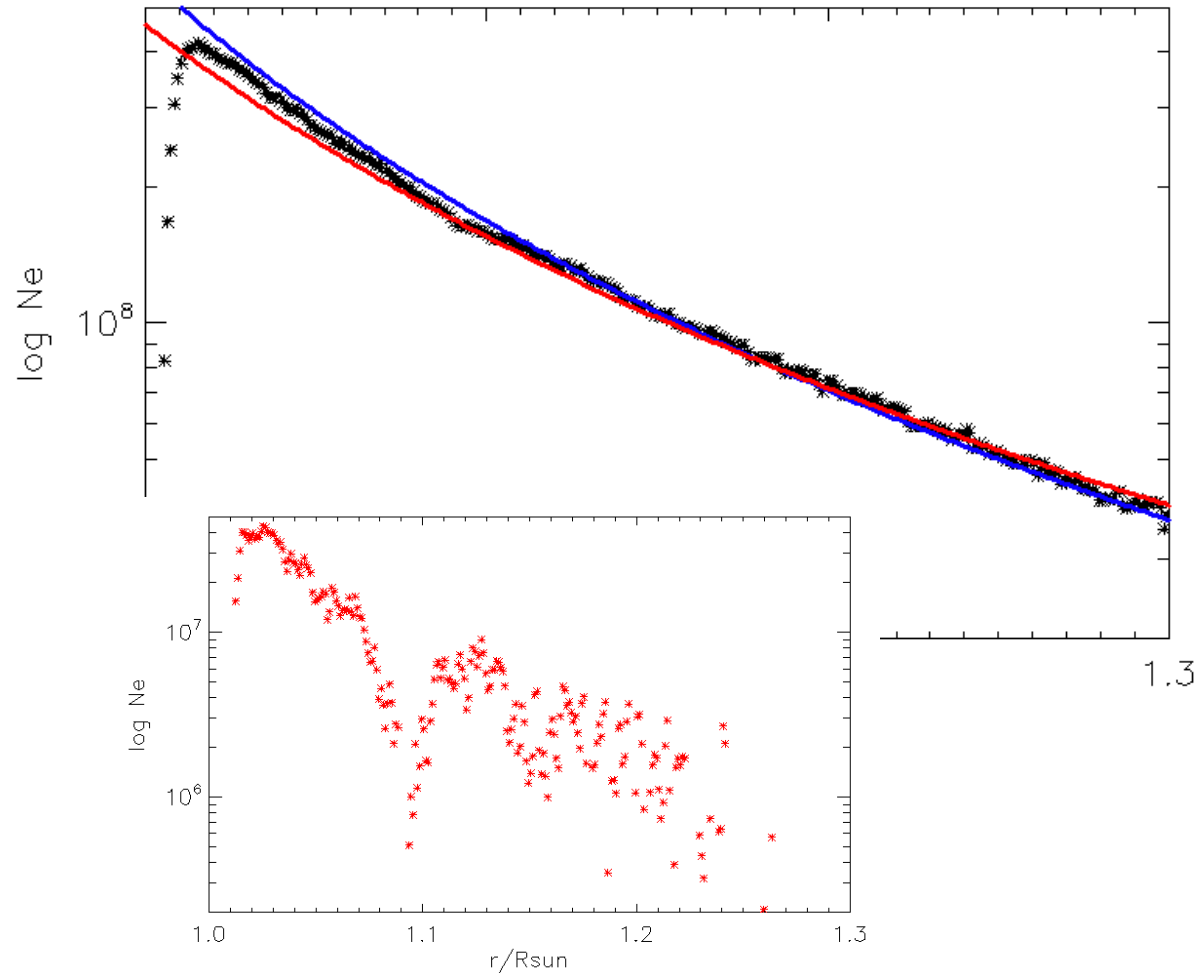


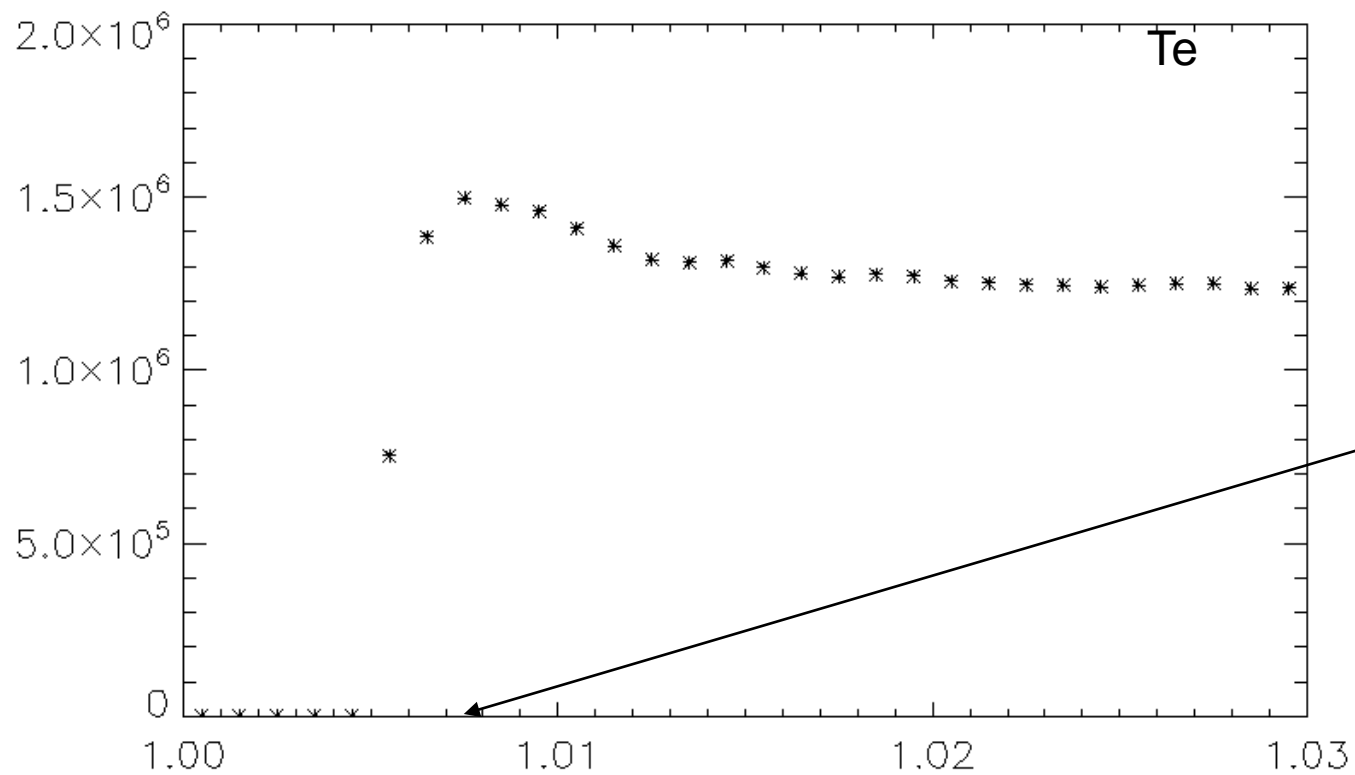
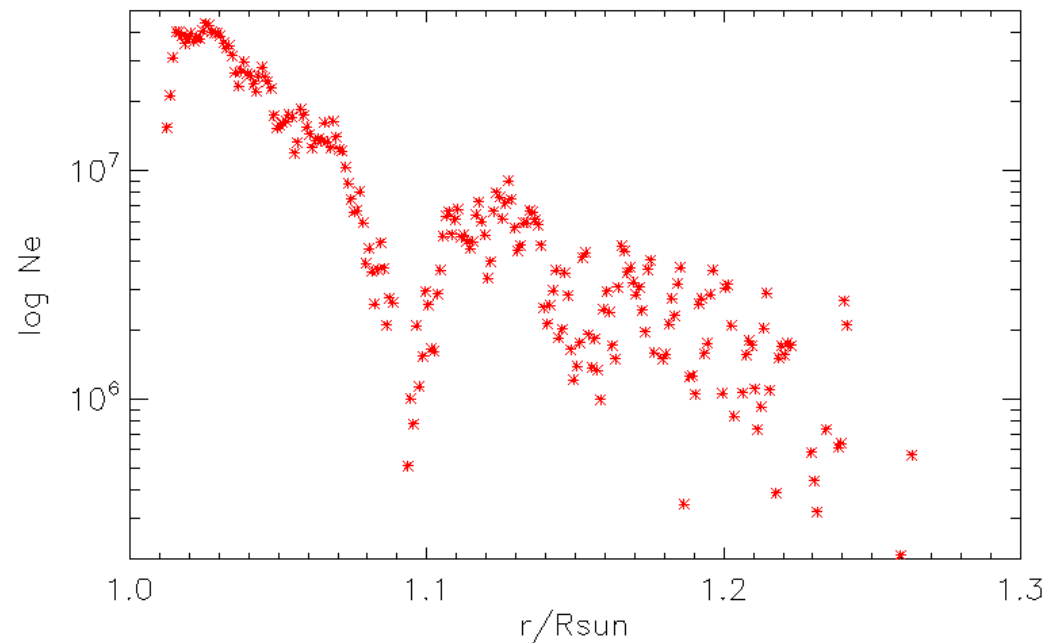
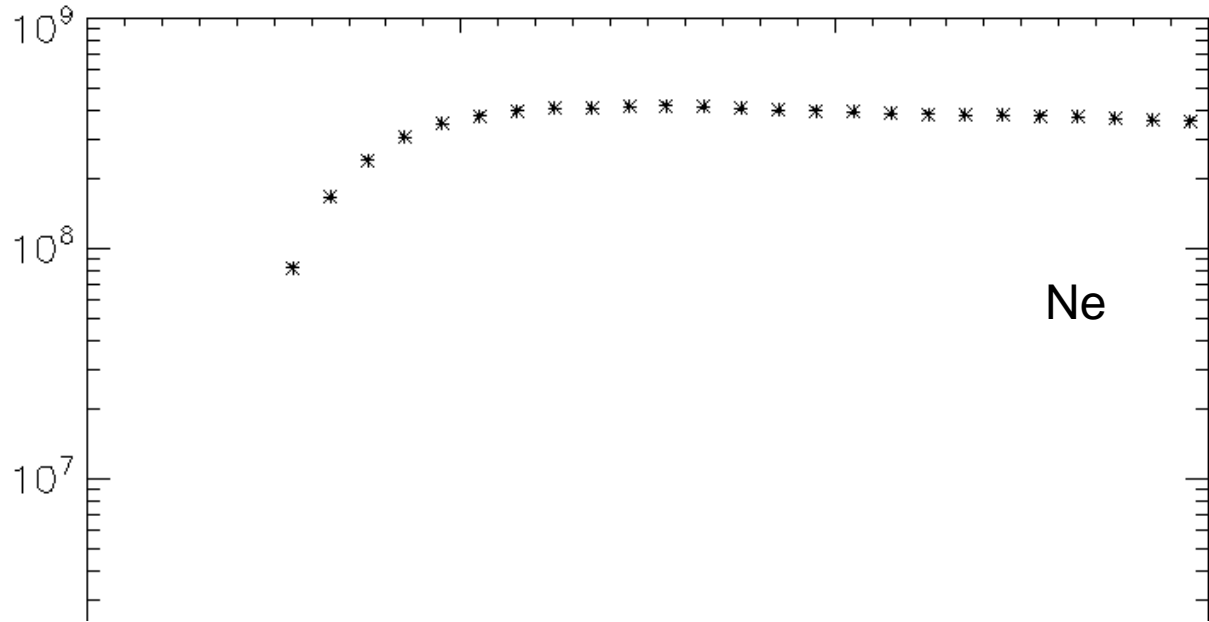
$$n_0 = 5.9 \text{ e}8 \text{ cm}^{-3}$$



$F_0 = 3.9e4 \text{ erg cm}^2 \text{ s}^{-1}$     $T_0 = 1.0 \text{ MK}$     $n_0 = 5.9 \text{ e}8 \text{ cm}^{-3}$

$F_0 = 3.9e4 \text{ erg cm}^2 \text{ s}^{-1}$     $T_0 = 1.05 \text{ MK}$     $n_0 = 4.6 \text{ e}8 \text{ cm}^{-3}$



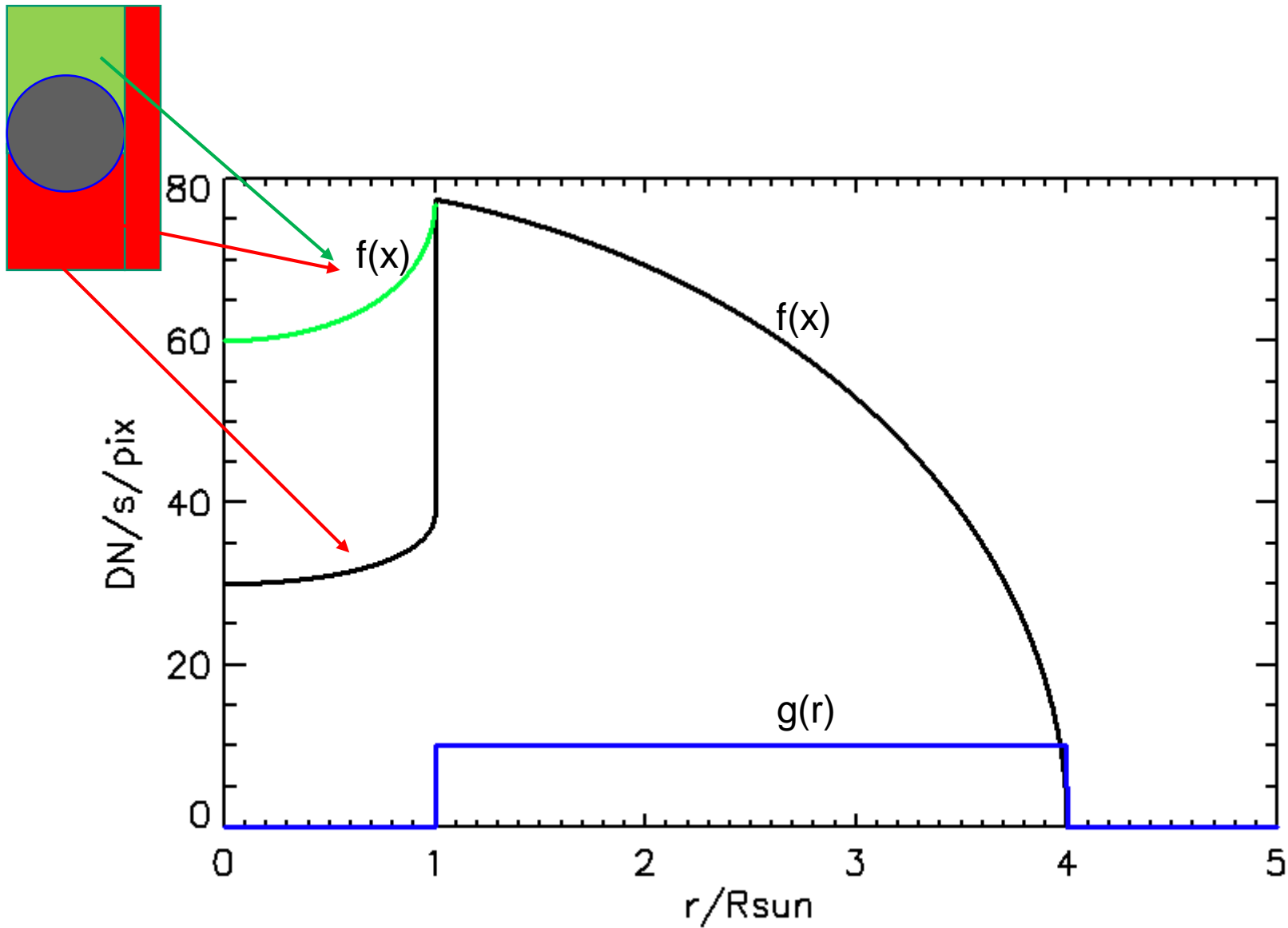


Scaling law  $T_{\text{m}} \sim (pL)^{1/3}$

$L = 5.2 \text{ e}8 \text{ cm}$      $T_{\text{m}} = 1.5\text{e}6 \rightarrow N_{\text{e}} = 5.7 \text{ e}9$

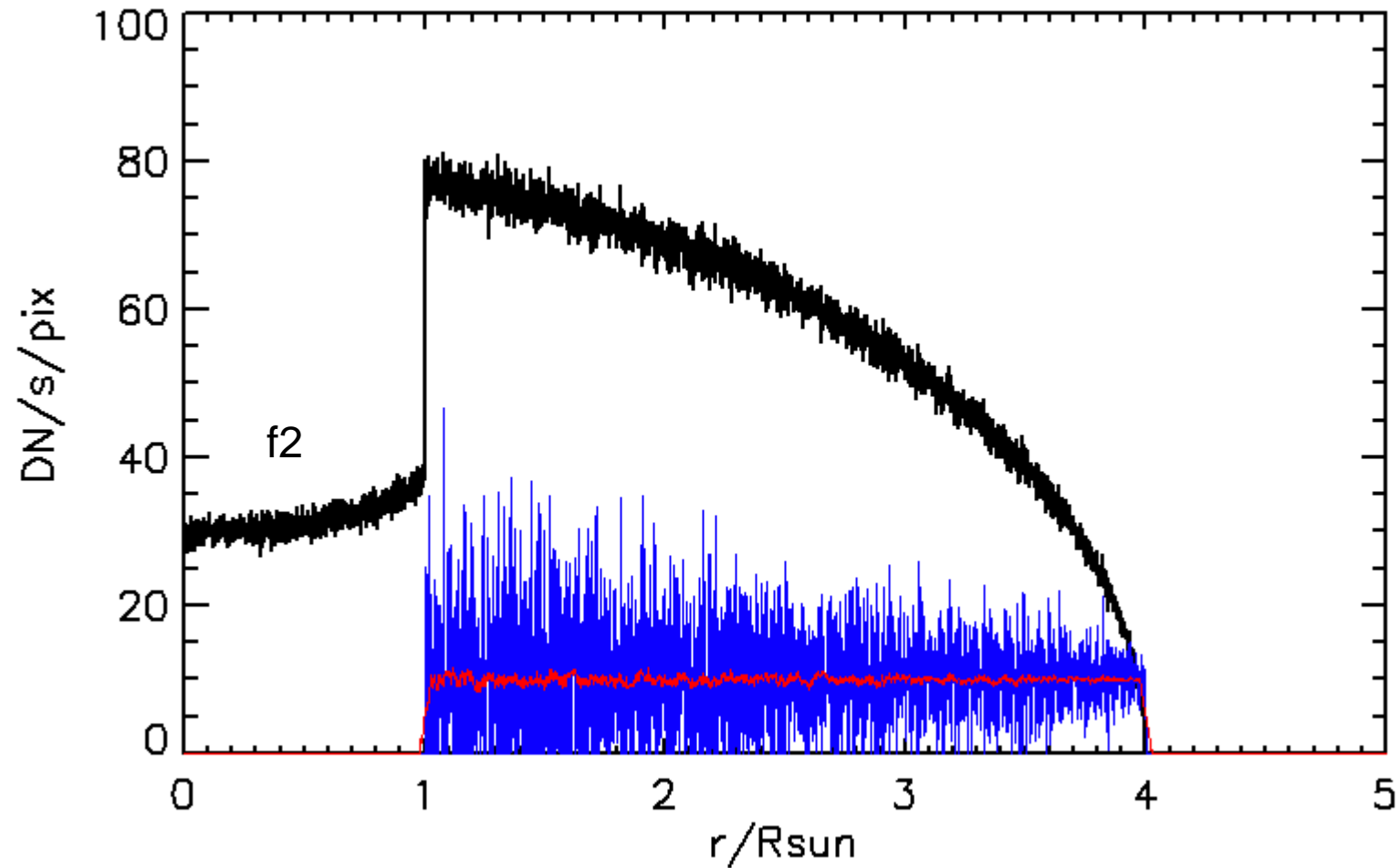
$\rightarrow$  (?) filling factor  $\sim 4.\text{e}7/5.\text{e}9 \sim 0.008 \sim 0.01$   
 $\sim 4.\text{e}8/5.\text{e}9 \sim 0.08 \sim 0.10$

# inversion test



$$\mathbf{f(0)} = \int_0^{\infty} \mathbf{g(r)} \mathbf{dr}$$

# inversion test

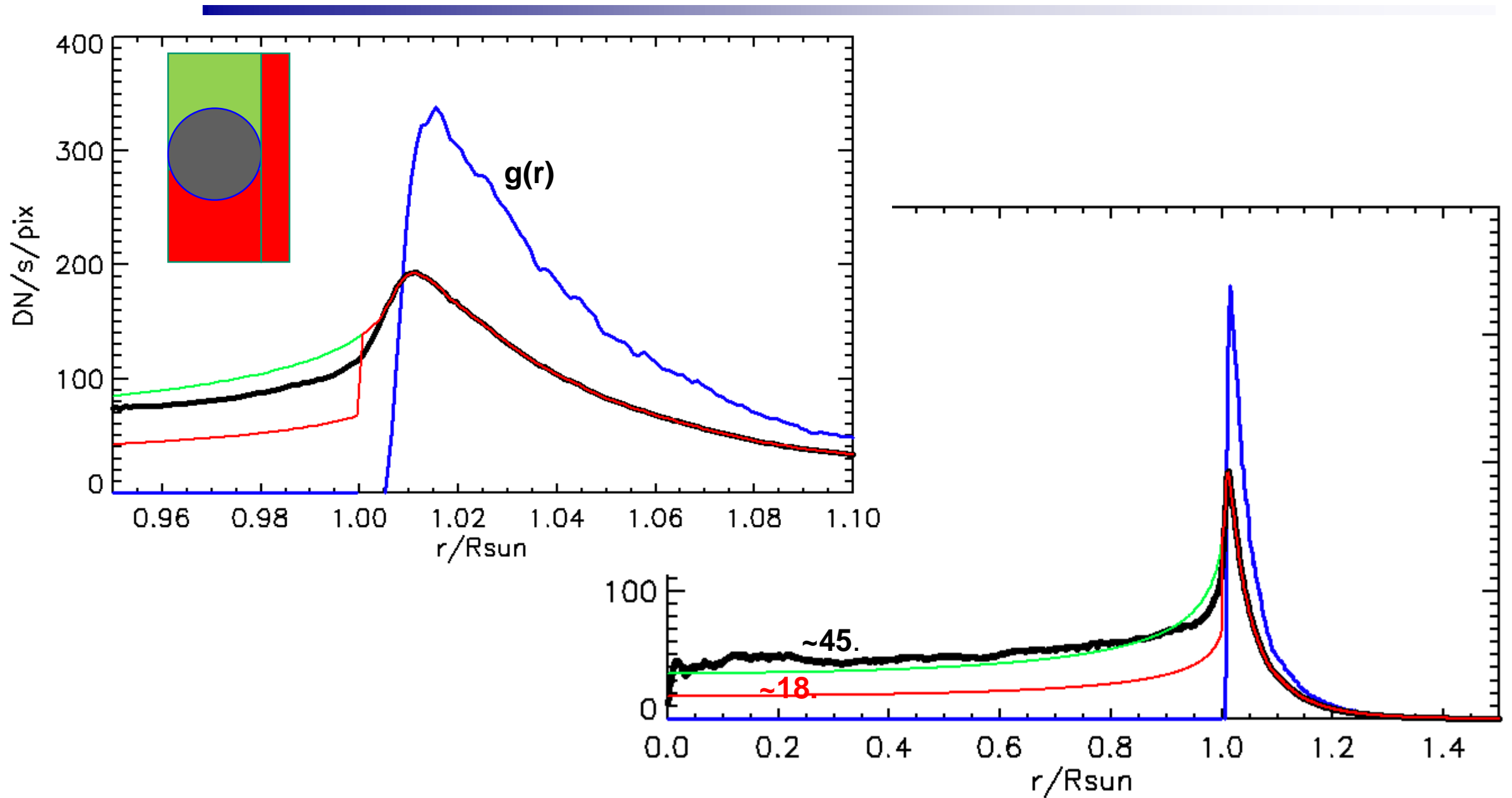


`average(g3(1000:4000)) = 9.988`

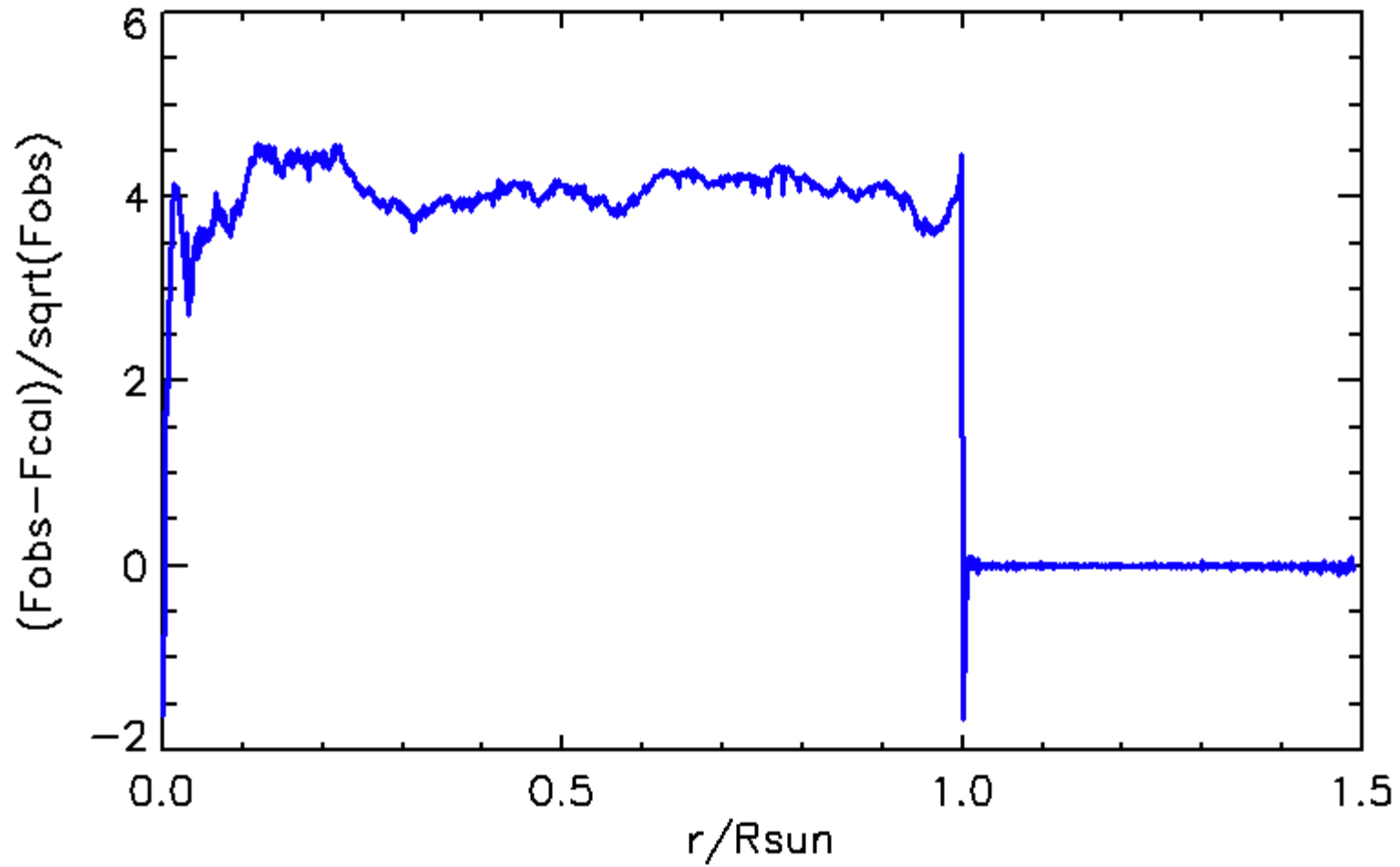
`g3s = smooth(g3,51,/edge_truncate)`



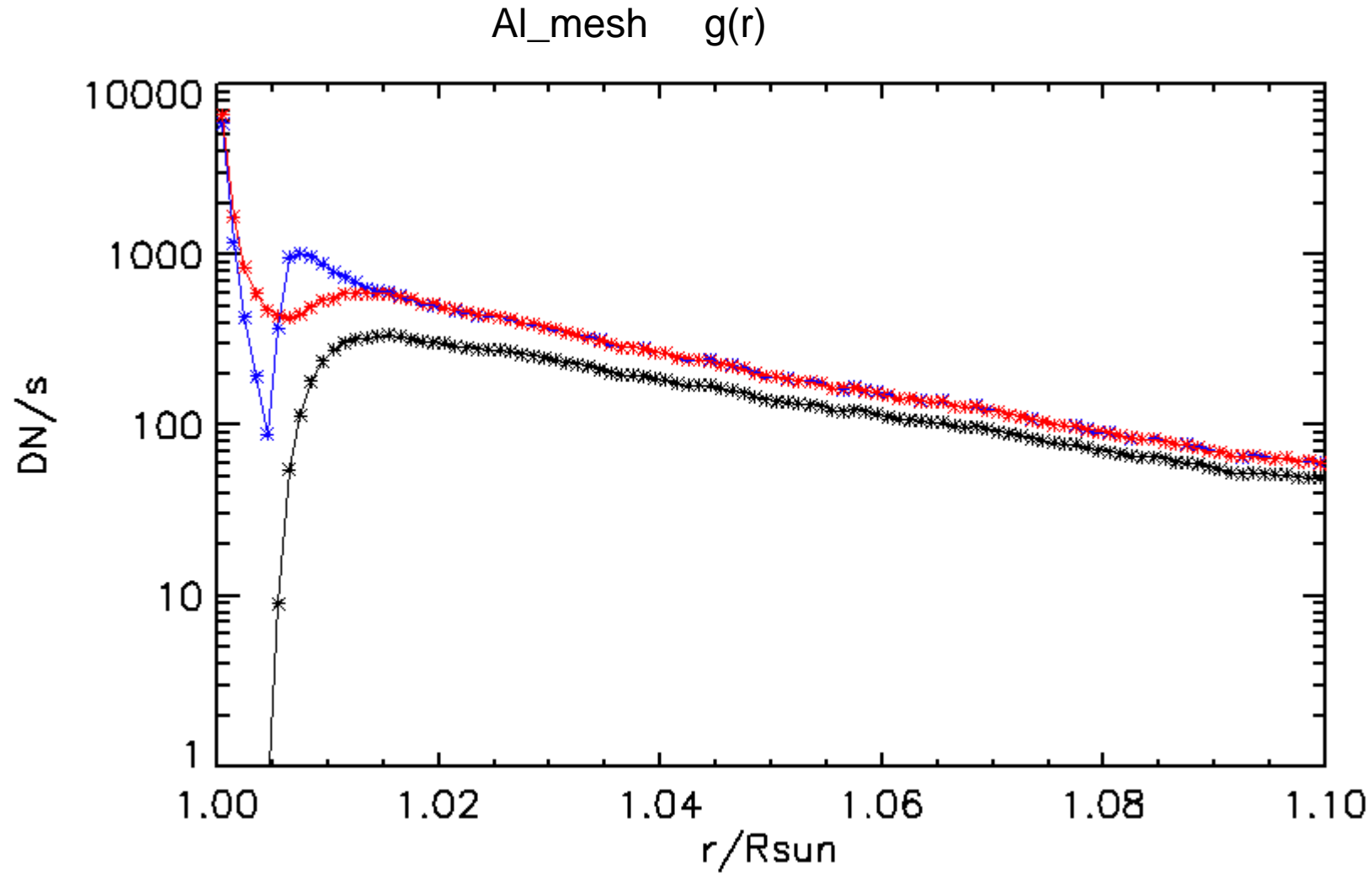
# inversion



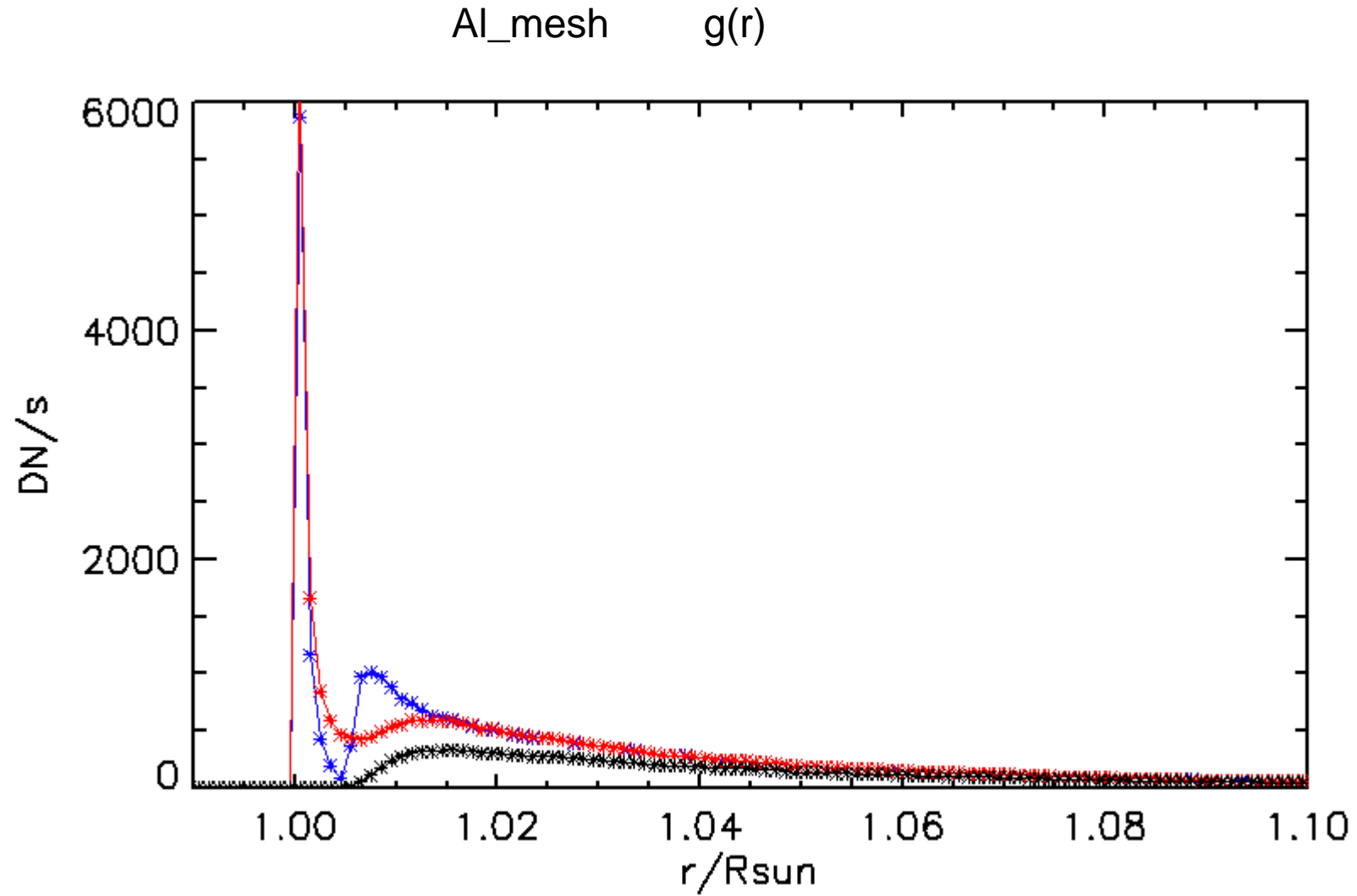
# goodness of fit



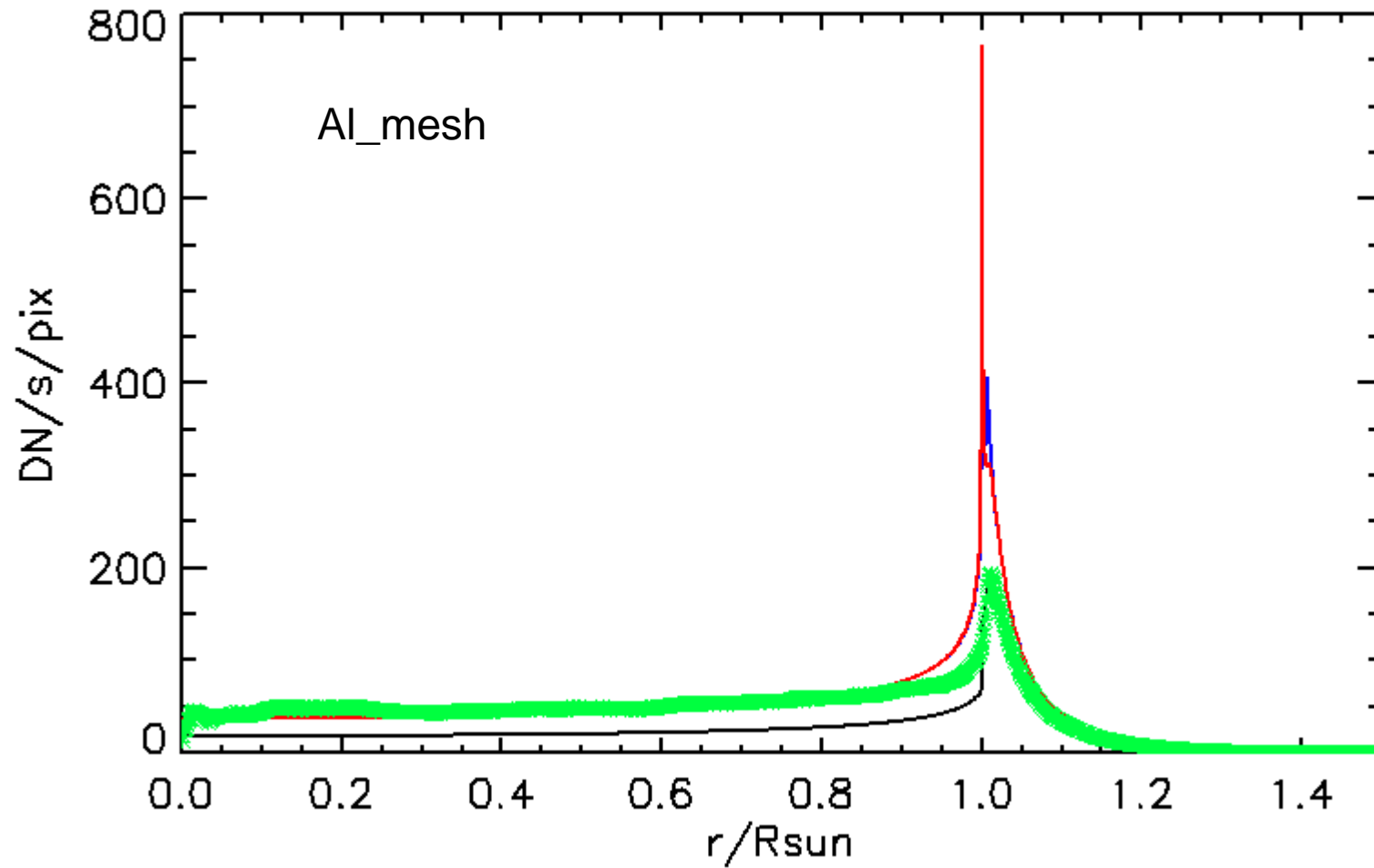
# $g(r)$ distribution



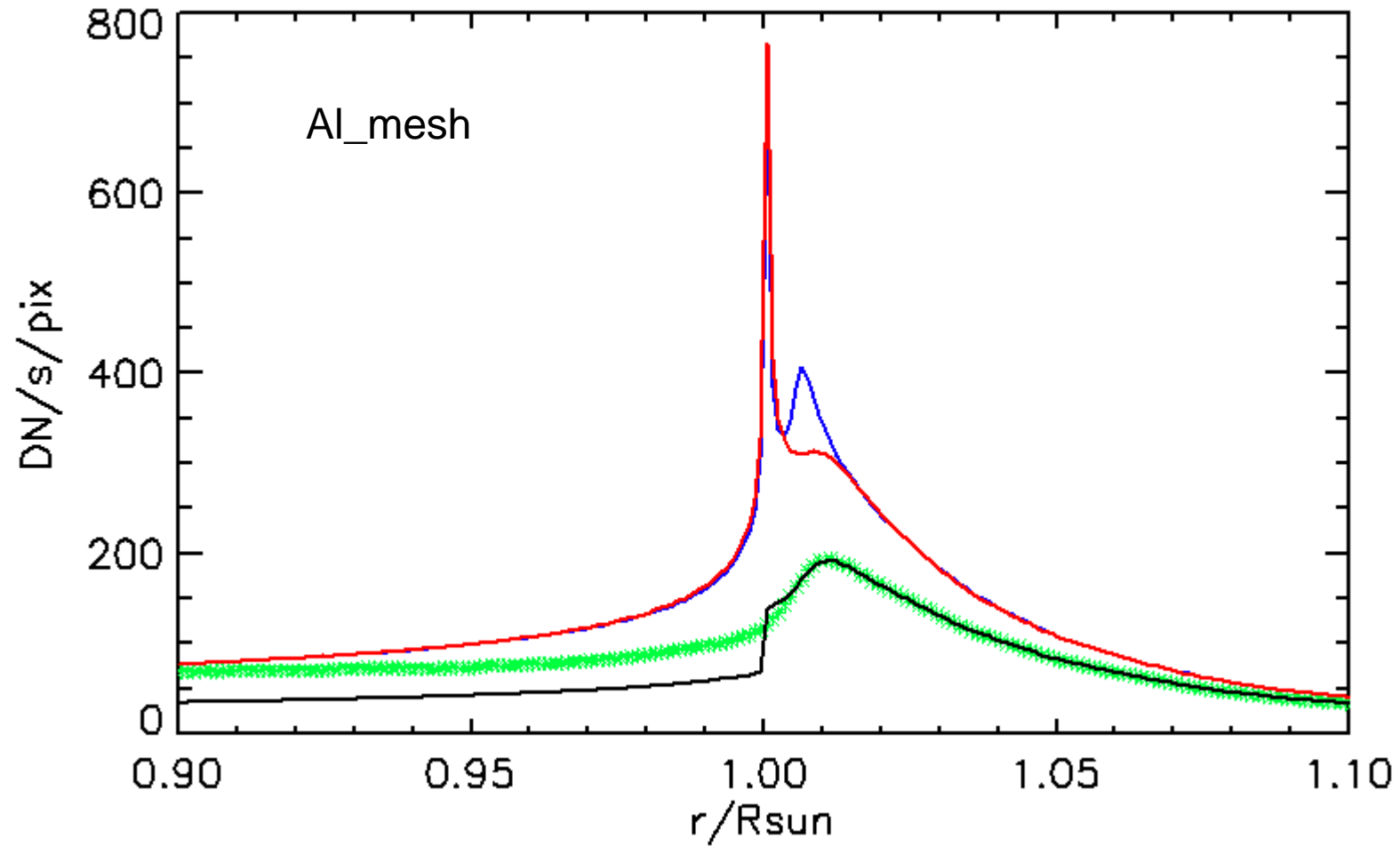
# $g(r)$ distribution



# fit to observed profile

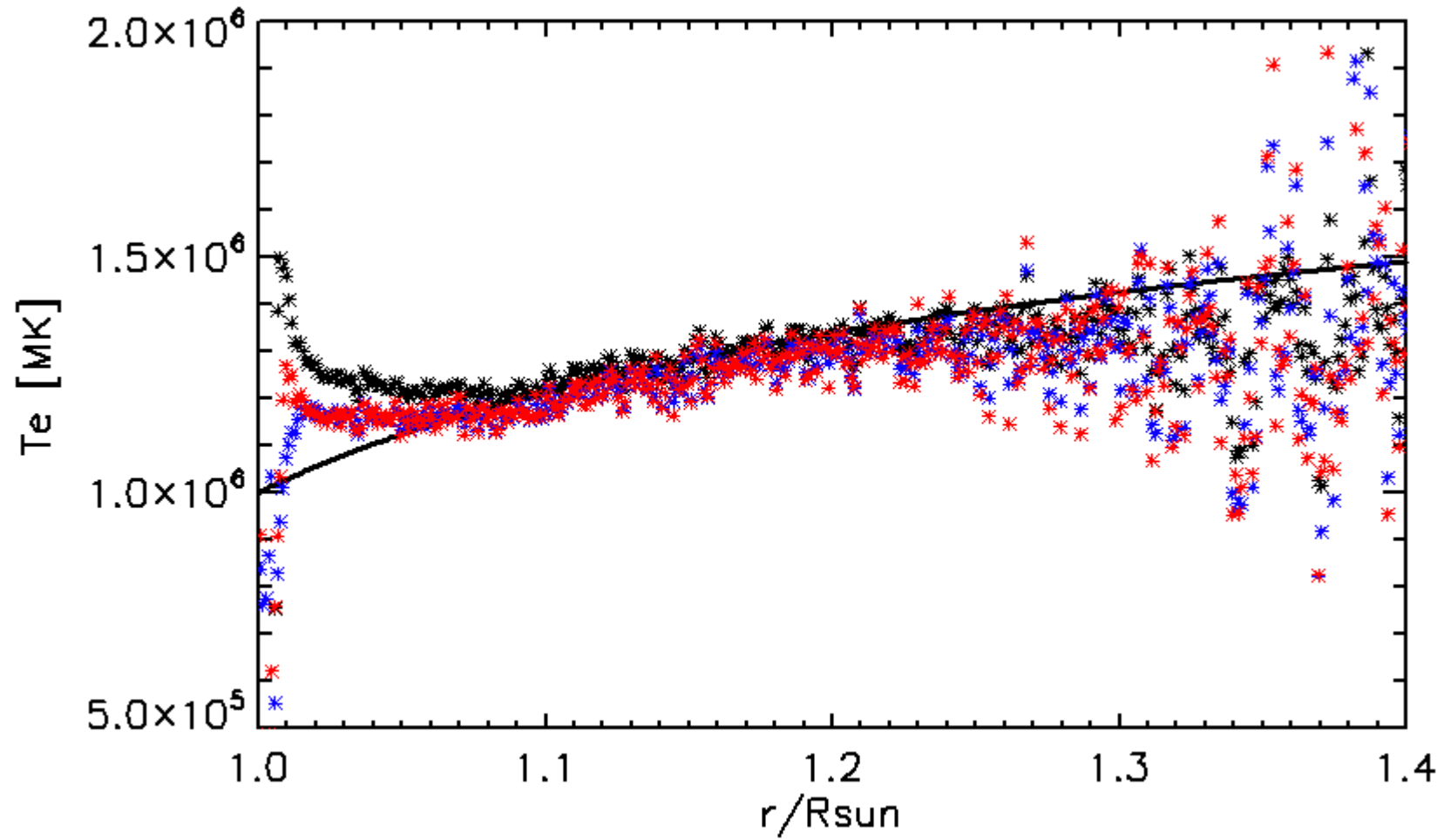


# fit to observed profile

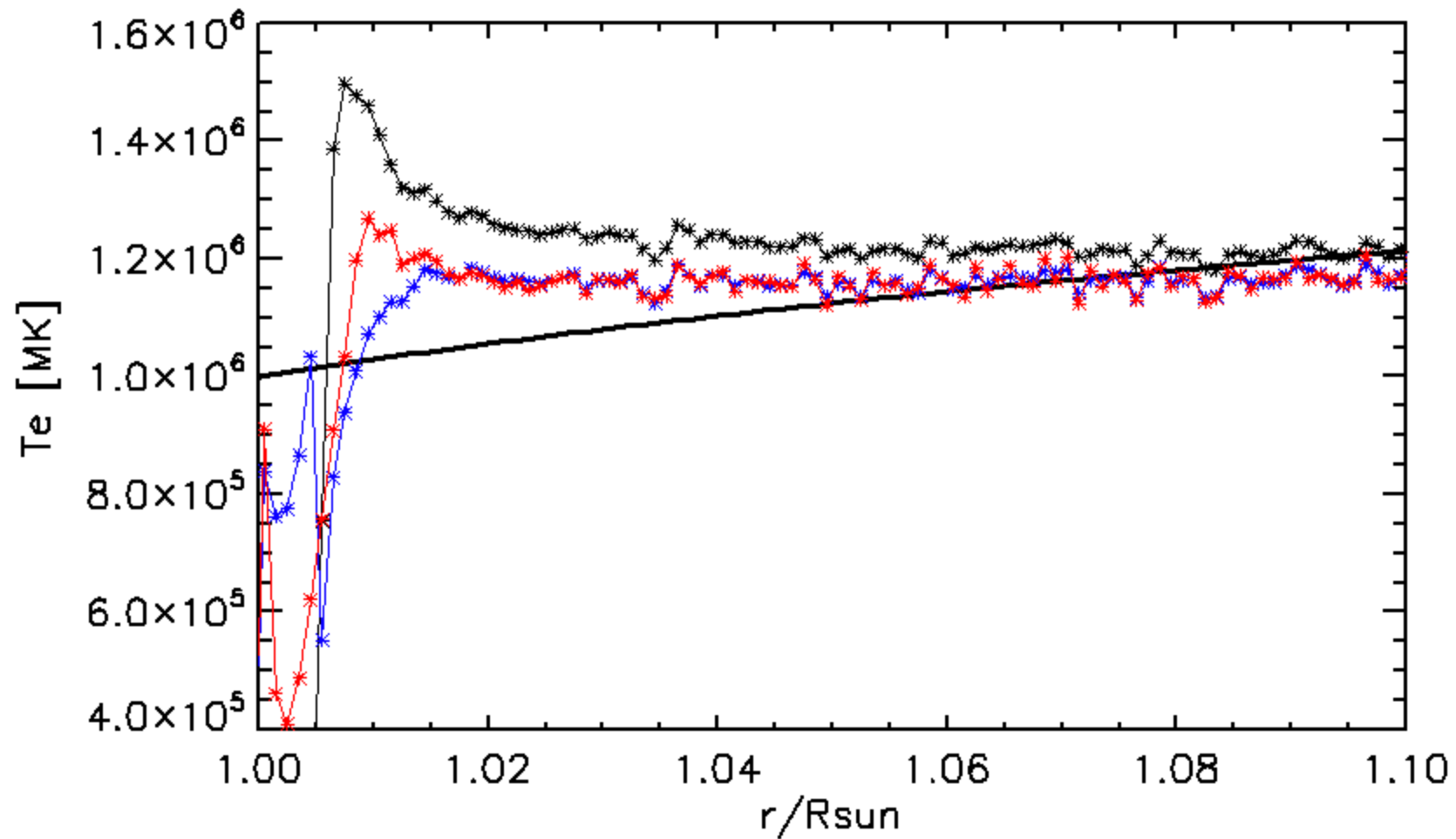




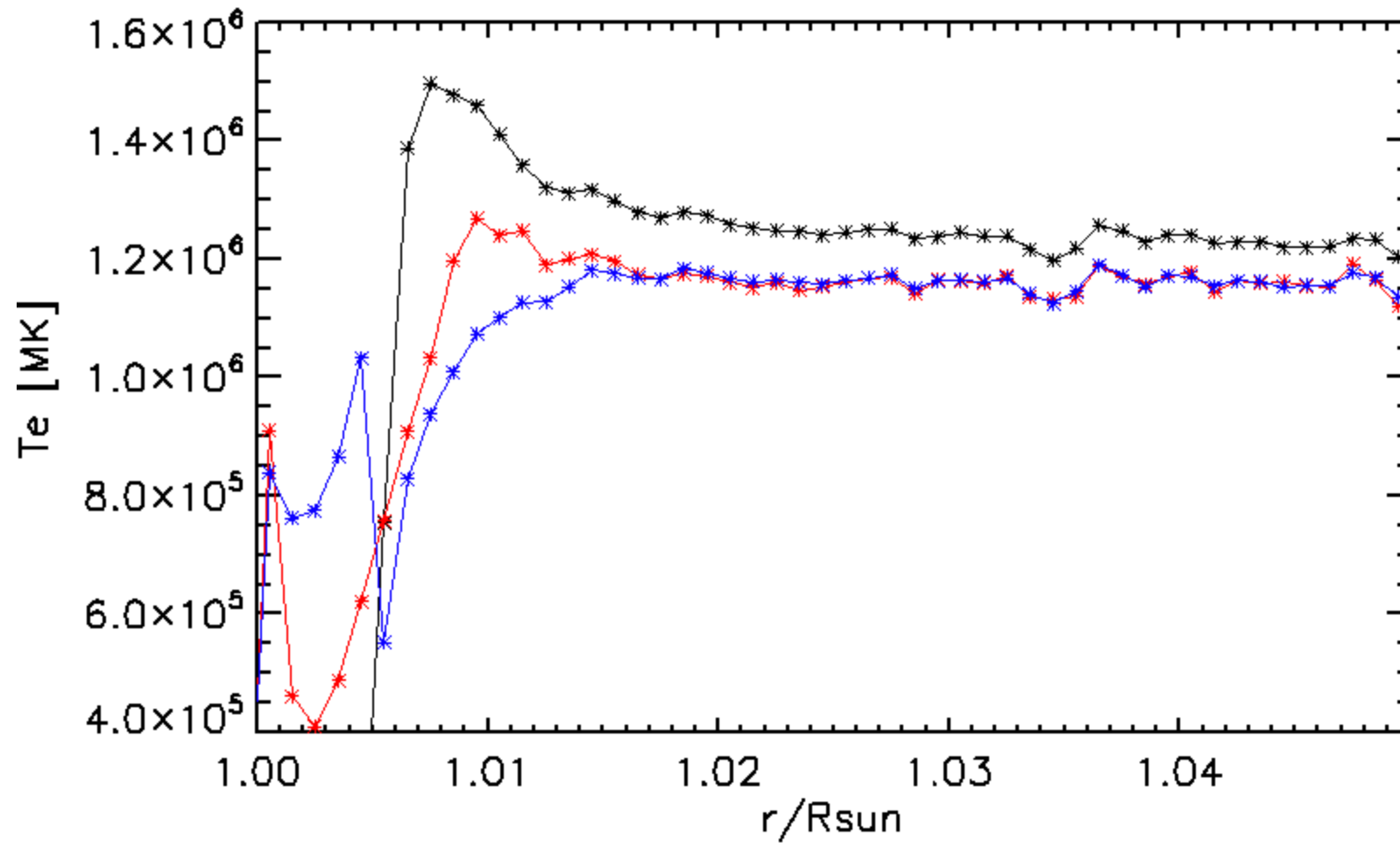
# $T_e(r)$ distribution



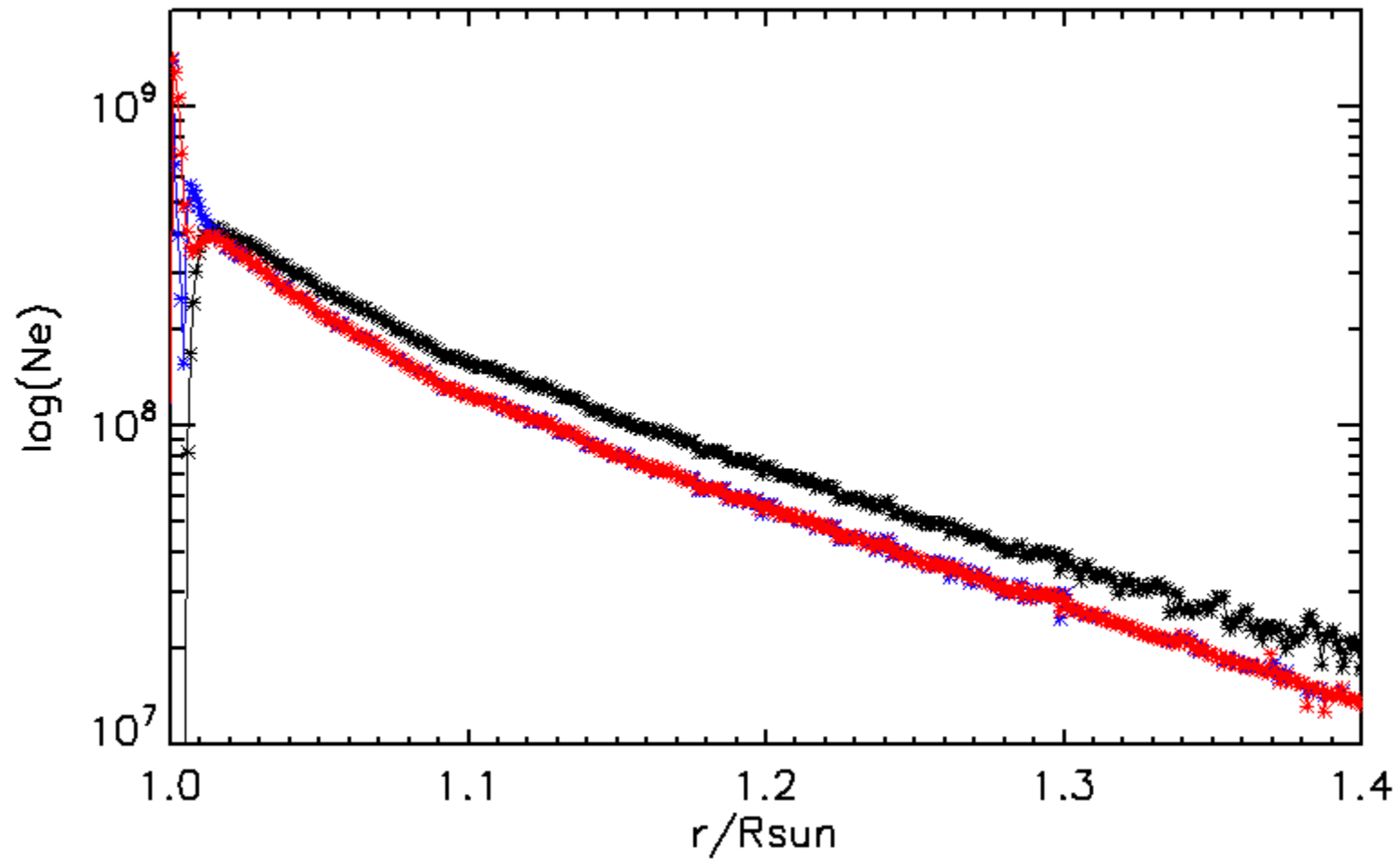
# $T_e(r)$ distribution



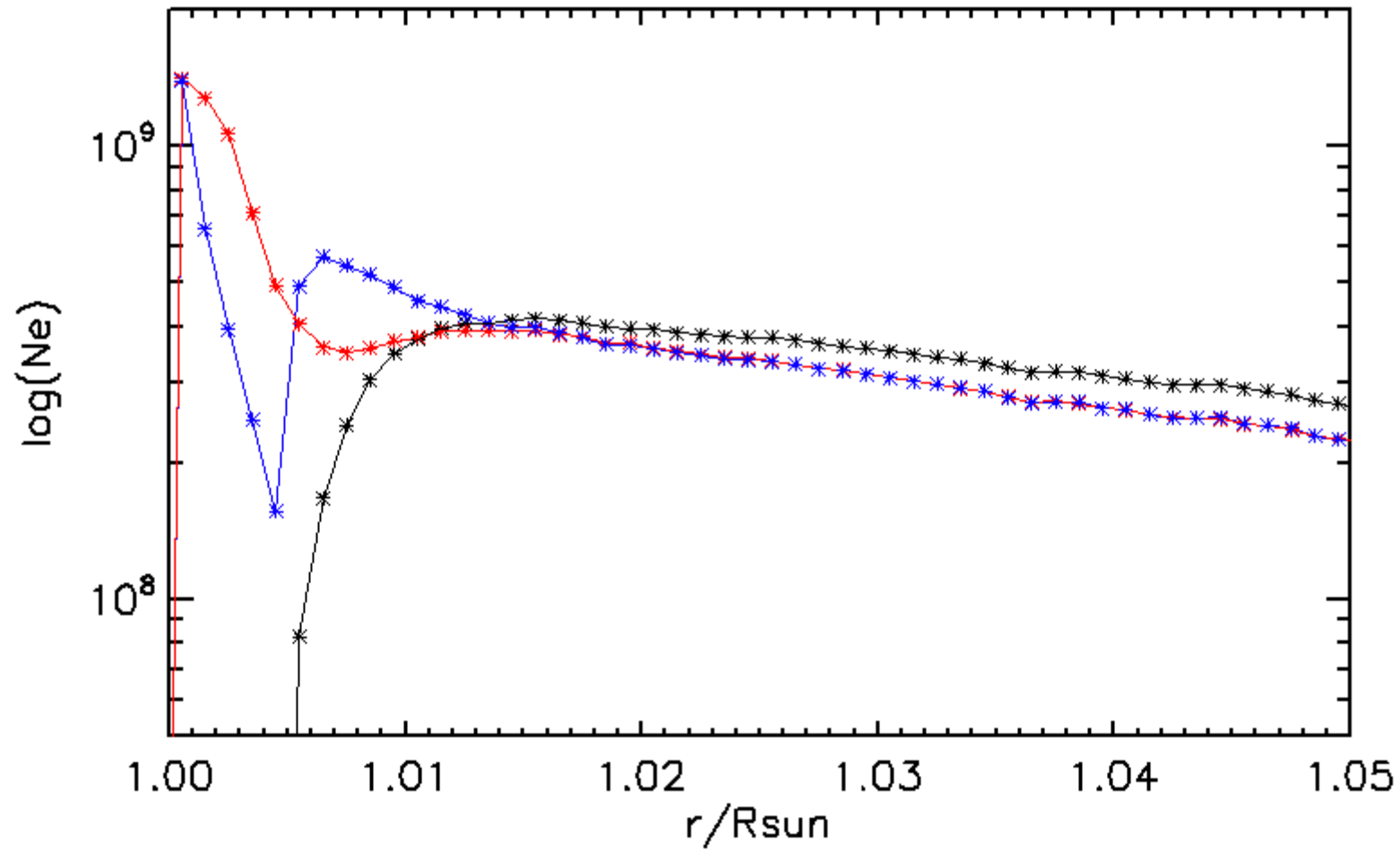
# $T_e(r)$ distribution



# $N_e(r)$ distribution



# $N_e(r)$ distribution





Total Solar Eclipse 2009

© 2009 Miloslav Druckmüller, Peter Aniol, Vojtech Rušin, Lubomír Klocok, Karel Martišek, Martin Dietzel



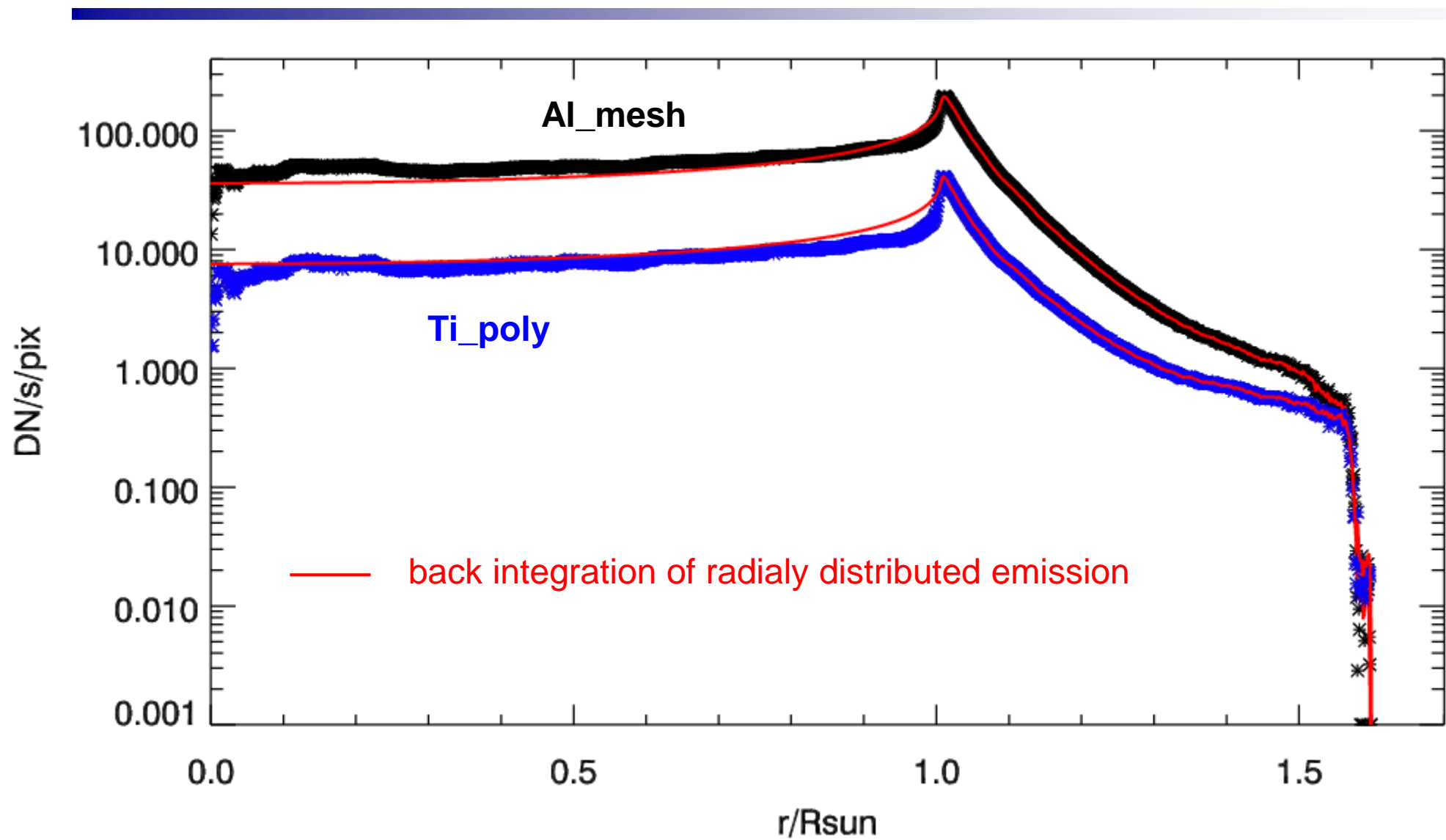


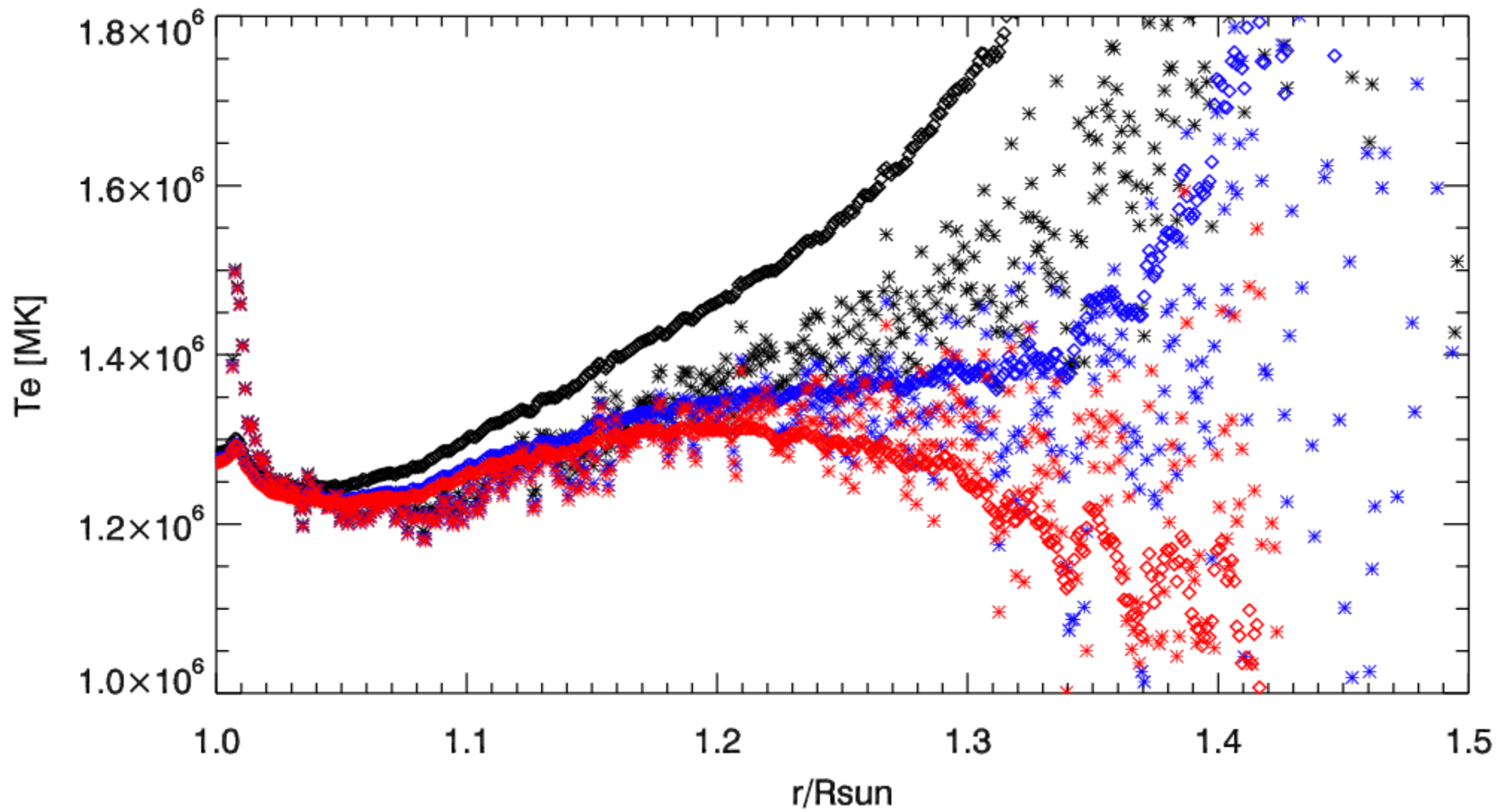
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Kobelski\_2013\_XRT\_calibration.pdf

The grazing incidence mirror used by XRT is a source of scattered light. This scattered light requires a model dependent and non-trivial deconvolution to correct, and is thus not performed by xrt prep.pro. Estimates of the uncertainties due to scattered light are similarly difficult to estimate, and as such are not considered.

0 tehXRT20090221\_060422.2.fits.sav  
1 tehXRT20090303\_075650.0.fits.sav  
2 tehXRT20090304\_080521.2.fits.sav  
3 tehXRT20090305\_055520.6.fits.sav  
4 tehXRT20090414\_055900.8.fits.sav  
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6 tehXRT20090719\_063216.6.fits.sav  
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8 tehXRT20090812\_200541.3.fits.sav  
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# wnioski

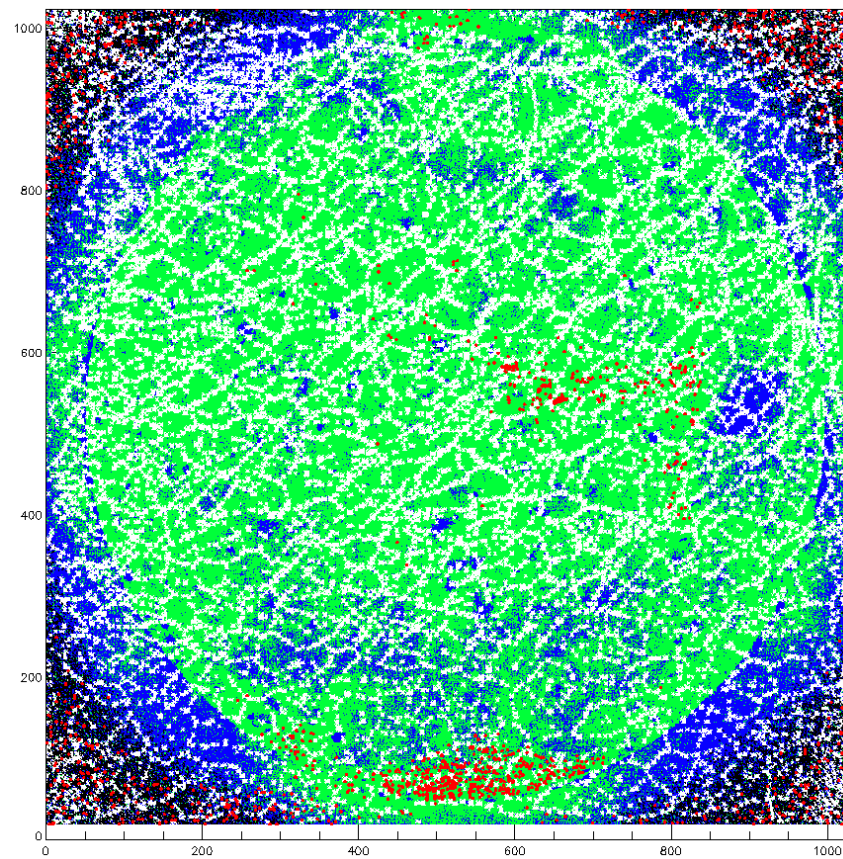
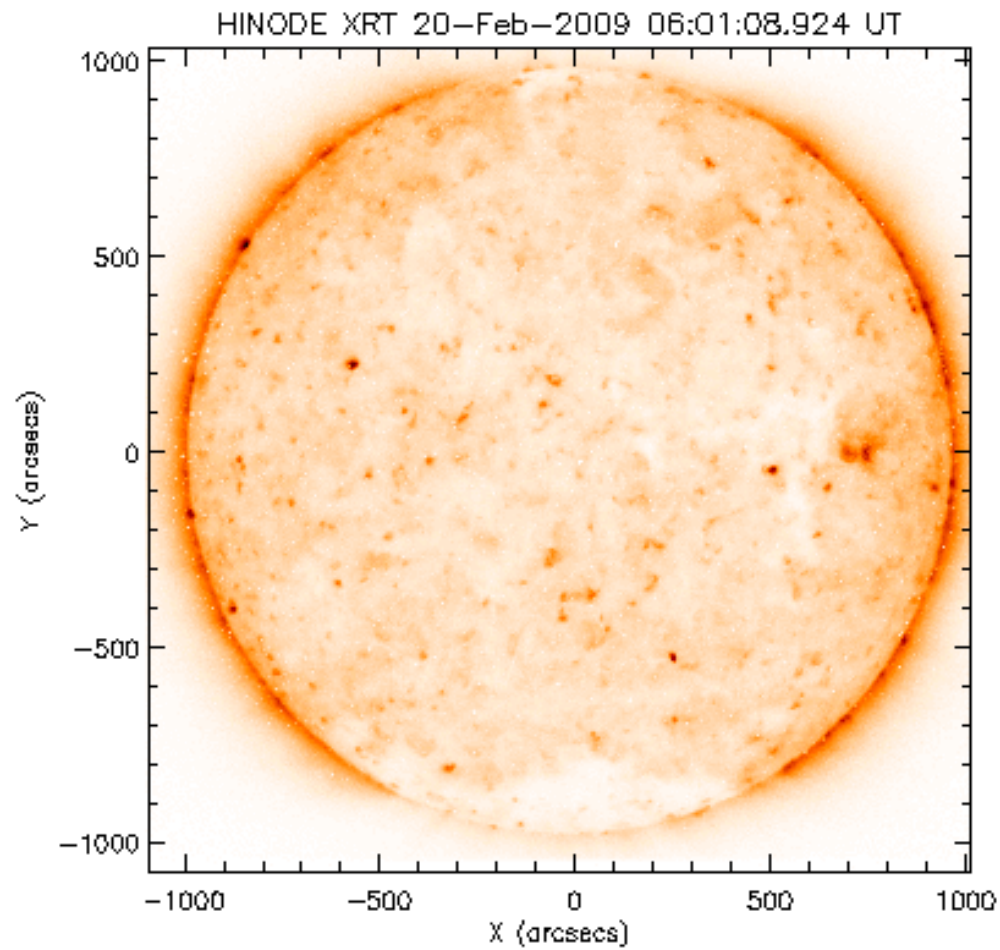
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- Powyżej  $r/R_{\odot} = 1.2$  wpływ światła rozproszonego jest istotny
- Korona podczas minimum ma 2 składowe:
  - pętle o  $T_e$  do  $\sim 1.5$  MK i wysokościach  $\sim 5000$  km
  - składowa „radialna” gdzie temperatura rośnie z wysokością od  $T_e \sim 1.0$  MK





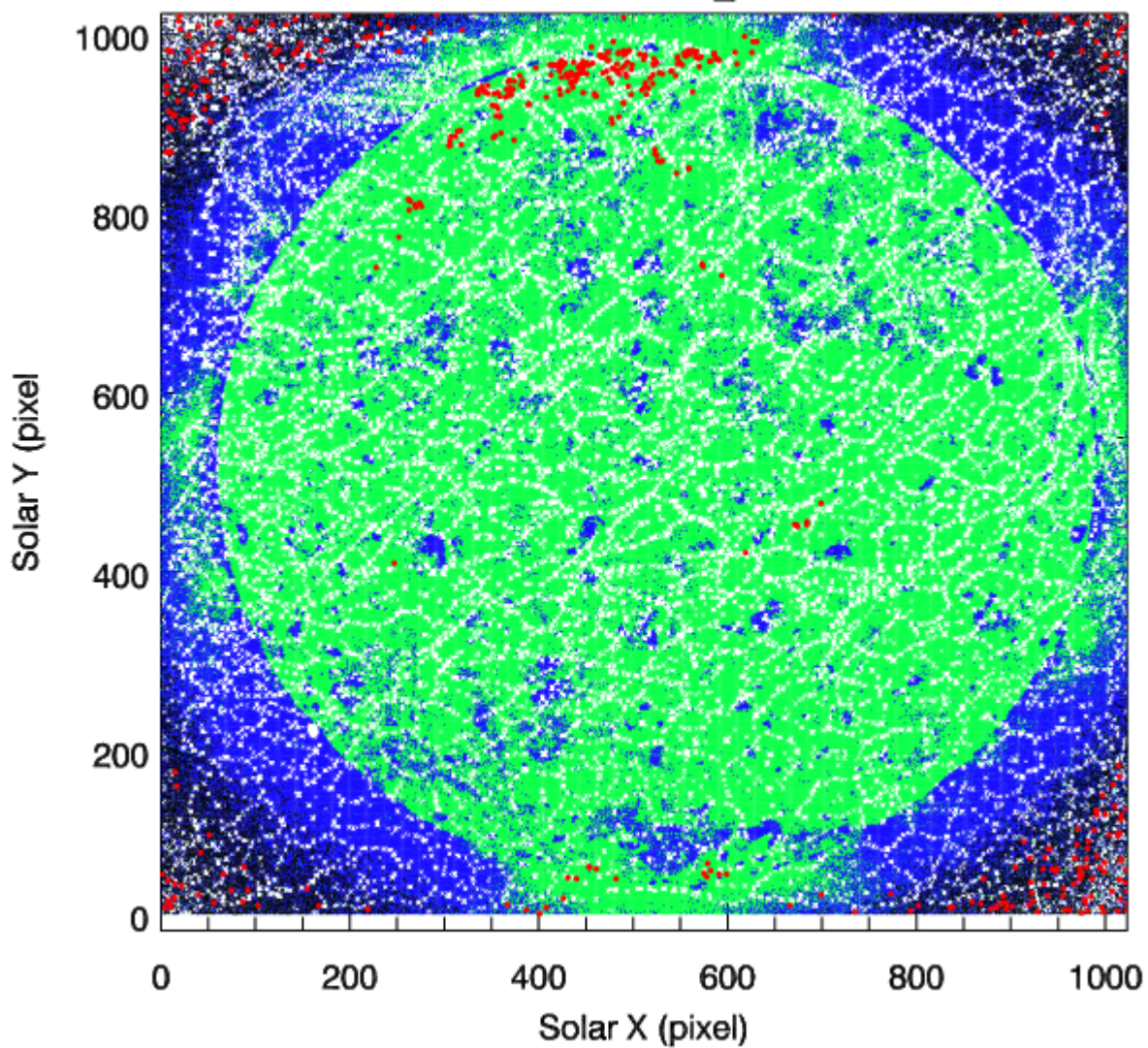
# Where is cold and hot component ?



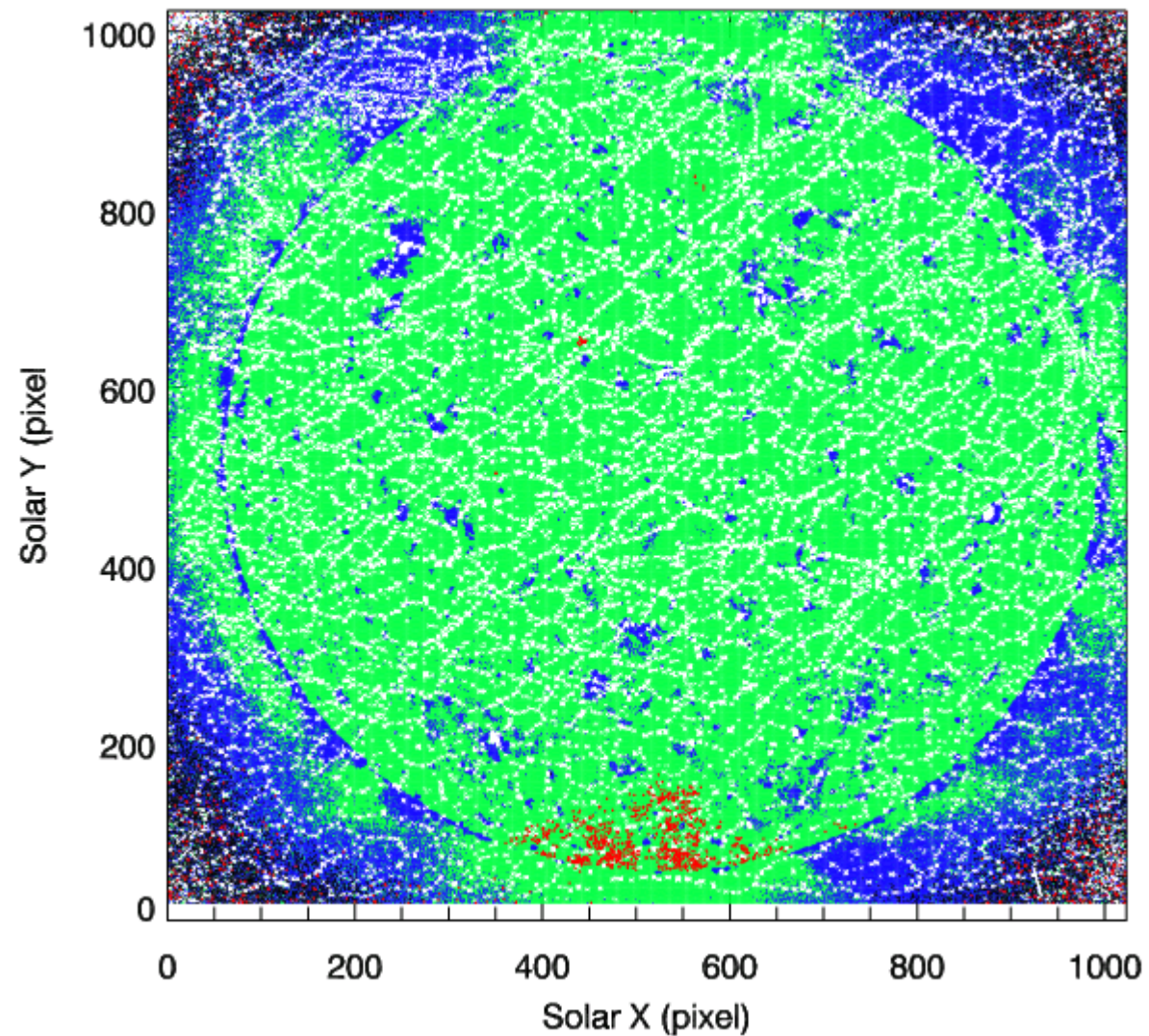


# Where is cold and hot component ?

Te XRT20090914\_060341.0



Te XRT20090420\_060731.5





Te XRT\_20090221\_060422.2

